

Shri Swami Vivekanand Shikshan Sanstha's

Vivekanand College, Kolhapur (Empowered Autonomous).

Department of Physics

Date: 02/09/2024

Internal Examination Notice

The students of M.Sc. I and II are hereby informed that the internal examination of current semester is scheduled as per following time table:

Sr. No.	Class and Sem	Paper Code.	Title of the paper	Date and time
1.	M.Sc. I, SEM I	DSC12PHY11	Mathematical Physics	24/09/2024 12:00 to 01:00 pm
2.	M.Sc. I, SEM I	DSC12PHY12	Classical Mechanics	25/09/2024 12:00 to 01:00 pm
3.	M.Sc. I, SEM I	MIN12PHY11	Research Methodology	26/09/2024 12:00 to 01:00 pm
4.	M.Sc. I, SEM I	DSE12PHY11	Solid State Physics-I (Semiconductor Physics)	27/09/2024 12:00 to 01:00 pm
5.	M.Sc. II, SEM III	DSC12PHY31	Statistical Mechanics	24/09/2024 12:00 to 01:00 pm
6.	M.Sc. II, SEM III	DSC12PHY32	Atomic and Molecule Physics	25/09/2024 12:00 to 01:00 pm
7.	M.Sc. II, SEM III	DSE12PHY31	Thin solid films: Deposition and Properties	26/09/2024 12:00 to 01:00 pm

Nature of question paper

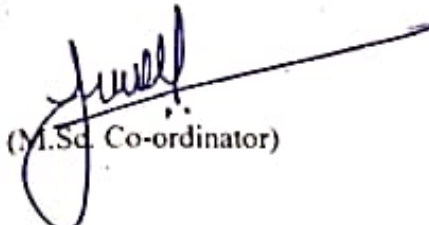
- For M.Sc. I and II

Total Marks (for each paper) = 20

Q: 1) Select correct alternative (02 marks)

Q: 2) Short answer question (any one out of two) (12 marks)

Q: 3) Short answer question (any one out of two) (06 marks)


(M.Sc. Co-ordinator)




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DEPARTMENT OF PHYSICS
VIVEKANAND COLLEGE, KOLHAPUR
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"Education for Knowledge, Science and Culture"
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Shri Swami Vivekanand Shikshan Sanstha, Kolhapur
Vivekanand College, Kolhapur (Empowered Autonomous).
Department of Physics
M.Sc. Part-I SEM I Examination (2024-25)
Solid State Physics-I (Semiconductor Physics)
(Paper code: DSE12PHY11)

Date : 27/09/2024

Day : 12.00 to 1.00 pm

Total Marks: 20

Time :-

Instructions:-

- 1) All questions are compulsory.
- 2) Figures to the right indicate full marks.
- 3) Use of log table and calculator is allowed.

Q.1) Select correct alternative

(02)

1. If $f(z)$ is analytic and its derivative is continuous at all points inside and on a simple closed curve C , then $\int_C f(z) dz = \text{-----}$.
(a) 0 (b) π
(c) 2π (d) ∞
2. A point at which function $f(z)$ is not analytic is known as -----
(a) singular point (b) analytic point
(c) isolated point (d) removable point

Q.2) Long answer question (Attempt any ONE)

(12)

1. If $f(z) = 4x + y + i(-x + 4y)$ discuss $\frac{df}{dz}$.
2. (a) Derive the necessary condition for function $f(z)$ to be analytic in given region R .
(b) Discuss the analyticity of the function $f(z)=z^3$

Q.3) Short answer question (Attempt any ONE)

(06)

1. Evaluate $\int_C \frac{e^z}{z^2+1} dz ; |z| = 2$
2. Evaluate $\int_C \frac{z+4}{z^2+2z+5} dz$ over the circle $|z+1| = 1$



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Department of Physics

M.Sc. Part-I SEM I Examination (2024-25)

Classical Mechanics

(Paper code: DSE12PHY12)

Date : 27 /09 /2024

Day : 12.00 to 1.00 pm

Total Marks: 20

Time :-

Instructions:-

- 1) All questions are compulsory.
- 2) Figures to the right indicate full marks.
- 3) Use of log table and calculator is allowed.

Q.1) Select correct alternative

(02)

1. The distance between sun and earth is " R ". The duration of the year if the distance between sun and earth is " $3R$ " will -----.
(a) $\sqrt{3}$ years (b) $3\sqrt{3}$ years
(c) 9 years (d) 3 years
2. Kepler's second law of motion is deals with -----
(a) shape of the orbit of the planet
(b) time period of the revolution of the planet around the sun
(c) the speed/area that the planet travels
(d) all of above

Q.2) Long answer question (Attempt any ONE)

(12)

1. State Kepler's laws of motion. Discuss the shape of the orbit using conic equation
2. Derive an expression for two body problems reduced to one body

Q.3) Short answer question (Attempt any ONE)

(06)

1. Explain virial theorem
2. Write a note on
 - a) Degrees of freedom
 - b) Constraints



Vivekanand College, Kolhapur (Empowered Autonomous)

M.Sc. Part-I (Sem-I) Internal Examination Sept. 2024

Course Code: RMD12PHY11

Research Methodology

Date: 26/09/2024

Time: 12.00-01.00 pm

Marks: 20

Instructions:

- 1) All the questions are compulsory.
 - 2) Figures to the right indicate full marks.
 - 3) Draw neat labeled diagrams wherever necessary.
 - 4) Use of log table/calculator is allowed
-

Q. 1 A) Select correct alternative.

(02)

- 1) Ultra high vacuum range of pressure measurement ranges from.....to.....
(a) 10^5 to 10^2 (b) 10^5 to 10^{-1} (c) 10^{-1} to 10^{-6} (d) 10^{-6} to 10^{-11}
- 2) In diffusion pump, diffusion of molecules take place in downward shooting process.
(a) liquid (b) solid (c) plasma (d) gas molecules

Q.2) Long answer questions (attempt any one)

(12)

- 1) Explain diffusion and sputter ion pump in detail.
- 2) Give detailed account of Pirani and penning gauge.

Q.3) Short answer questions (attempt any one)

(06)

- 1) Write a note on rotary pump.
- 2) Explain halogen leak detector in detail.



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M.Sc. Part-I SEM I Examination (2024-25)

Solid State Physics-I (Semiconductor Physics)

(Paper code: DSE12PHY11)

Total Marks: 20

Time :-

Instructions:-

- 1) All questions are compulsory.
- 2) Figures to the right indicate full marks.
- 3) Use of log table and calculator is allowed.

(02)

- Atoms containing 5 valance electrons are known as-----semiconductor.
 - P-type
 - N-type
 - insulator
 - all of these
- The electrons travel in the influence of electric field, this velocity is referred to as -----.
 - Current density
 - angular velocity
 - drift velocity
 - all of these

(12)

1. What is mean by alloy? Explain the variation of energy bands with alloy composition.
2. Write the short note on direct band-gap semiconductor.

(06)

1. Write the short note on optical absorption in semiconductors.
2. Write the short note on drift and diffusion current.



Name :- Sudarshan. Nivas Khutale.

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27/10/24

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SUPPLIMENT

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Supervisor

Suppliment No. : 1

Roll No. :

Class : M.Sc-I

Subject : mathematical physics.

Test / Tutorial No. :

Div. : -

(Q.1.)

(1) If $f(z)$ is analytic and its derivative is continuous at all points inside an simple closed curve C . then

$$\int_C f(z) \cdot dz = 0$$

(2) A point at which function $f(z)$ is not analytic is known as singular point.



Analytic Function :-

A single valued function $f(z)$ is which differentiable at $z=z_0$ it is known as analytical function.

A point at which of the function is not differentiable at it is known as singular point or pole of the function.

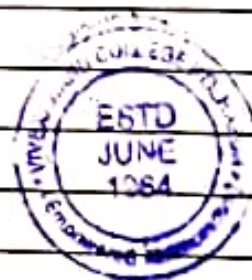
State ment :-

The necessary condition of the function $f(z)$ is analytic.

The necessary condition of the function $f(z) = u + iv$ is analytic in the region R , are.

$$(1) \quad \frac{\partial u}{\partial z} = \frac{\partial v}{\partial y}$$

$$(2) \quad \frac{\partial u}{\partial y} = - \frac{\partial v}{\partial x}$$



provided that,

$$\frac{\partial u}{\partial z} + \frac{\partial v}{\partial \bar{z}}, \frac{\partial u}{\partial \bar{z}} - \frac{\partial v}{\partial z} \text{ exists.}$$

Proof :-

Let $f(z)$ is the analytic at all region R .

$$f(z) = u + iv$$

where u & v is the function of x & y .

then the δu & δv is the small elements of u & v respectively, corresponding to the δx & δy is function of element in x & y .

$$f(z + \delta z) = (u + \delta u) + i(v + \delta v)$$

$$\cancel{f(z + \delta z)} - \cancel{f(z)} =$$

$$f(z + \delta z) - f(z) = (u + \delta u) + i(v + \delta v) - (u + iv) = \delta z$$

$$= \frac{\delta u + i\delta v}{\delta z}$$

$$= \frac{\delta u}{\delta z} + i \frac{\delta v}{\delta z}$$

$$\lim_{\delta z \rightarrow 0} \frac{f(z + \delta z) - f(z)}{\delta z} = \lim_{\delta \rightarrow 0} \left[\frac{\delta u}{\delta z} + i \frac{\delta v}{\delta z} \right]$$

or

$$f'(z) = \lim_{\delta \rightarrow 0} \left[\frac{\delta u}{\delta z} + i \frac{\delta v}{\delta z} \right]$$

Since, δz approaches zero along any path.

(a) along real axis z :-

$z = u + iv$ but on x -axis $v = 0$.

$z = x$, $\delta z = \delta x$, $\delta v = 0$.

Putting the values in eqn.

we get,

$$f'(z) = \lim_{\delta x \rightarrow 0} \left[\frac{\delta u}{\delta x} + i \frac{\delta v}{\delta x} \right]$$

$$= \frac{\partial u}{\partial x} + i \frac{\partial v}{\partial x} \quad \text{--- (1)}$$



Name:- Sudarshan Nivas Khatwale

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SUPPLIMENT

Suppliment No. : 2

Roll No. : -

Class : M.Sc-I

Signature
of
Supervisor

Subject : mathematical physics.

Test / Tutorial No. : -

Div. : -

(b) along imaginary axis - y.

$z = u + iv$ - but on y-axis $u = 0$

$z = iv$, $\delta z = i\delta v$, $\delta u = 0$

$f'(z) = \lim_{\delta y \rightarrow 0} \left[\frac{\delta u}{i\delta y} + \frac{i\delta v}{i\delta y} \right] = \lim_{\delta y \rightarrow 0} \left[\frac{\delta u}{i\delta y} + \frac{\delta v}{\delta y} \right]$

$\left. \begin{matrix} \delta v \\ \delta z \end{matrix} \right\}$

$= -i \frac{\delta u}{\delta y} + \frac{\delta v}{\delta y}$

— (2)



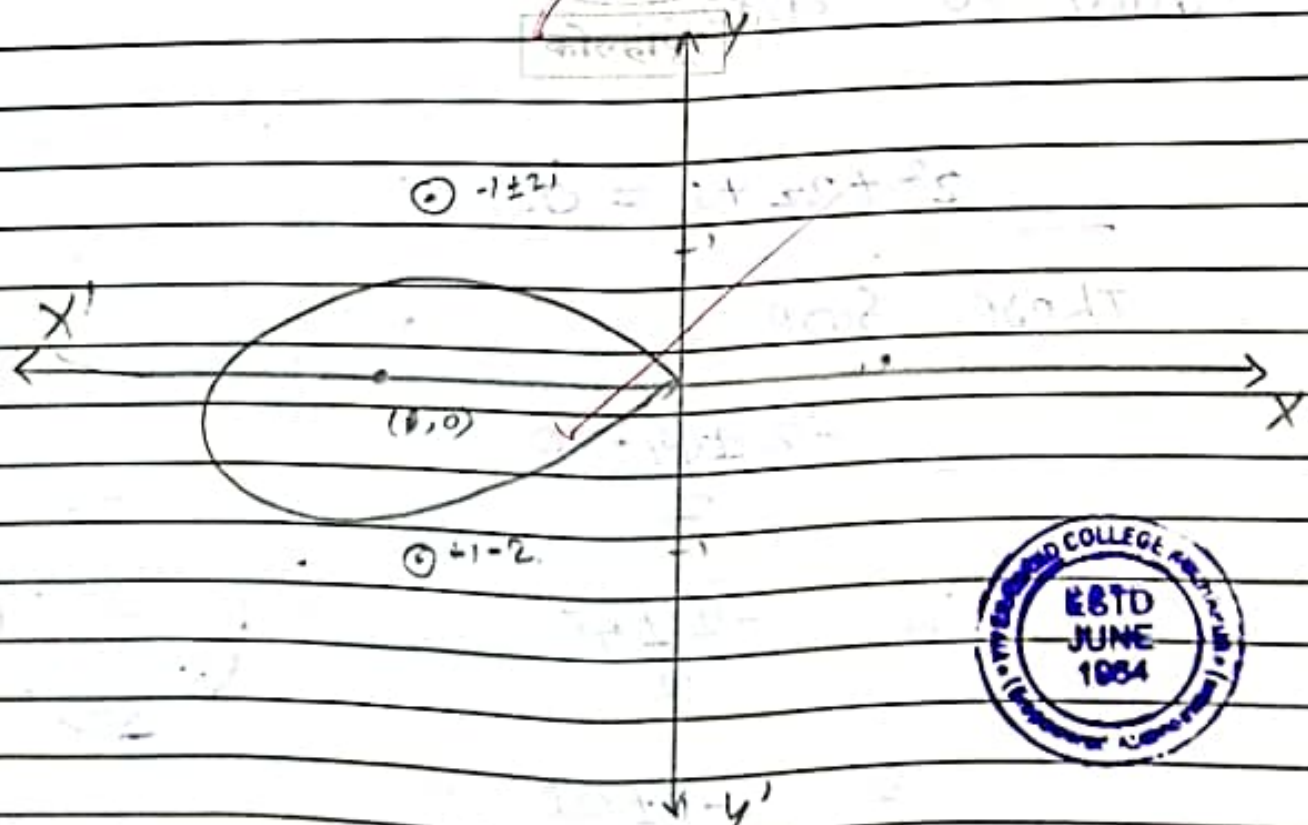
The poles of the circle.
in the region $|z+1|=1$ & radius
of the circle $|z|=-1$.

$$\frac{z+4}{z^2+2z+5} \cdot dz = 0.$$

By Cauchy's integral
theorem.

$$\int_C \frac{z+4}{z^2+2z+5} dz =$$

$$= -1 - 2i.$$



eqⁿ of circle :-

Cartesian co-ordinate Form.

$$(x-a)^2 + (y-b)^2 = r^2 \quad C \equiv (a, b)$$

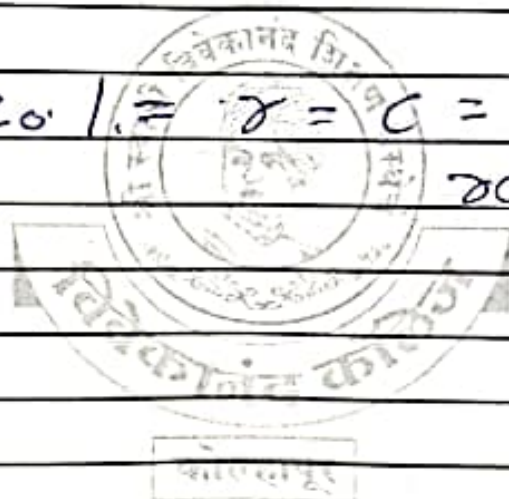
radius = r .

Polar Form :-

(~~z~~ - ~~z₀~~)

$$|z - z_0| = r = C = z_0 = x + iy$$

radius = r .



Shrutika Sambhaji Khat

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Supplement No. :

Roll No. :

Class :

MSC I

Subject : Mathematical physics.

Test / Tutorial No. : Unit test

Div. :

Q1)

i) a) 0

ii) a) singular point

Q2)

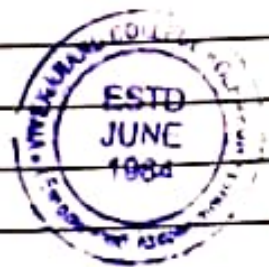
⇒ 2) The analytic function $f(z)$
 $f(z) = u + iv$

where x and y are the function of u and v

where δu and δv are the increment of u and v
respectively
and δx and δy are the increment of x and y

$$z = x + iy$$

$$\delta z = \delta x + i\delta y$$



$$f'(z) = \lim_{\delta z \rightarrow 0} \frac{f(z + \delta z) - f(z)}{\delta z}$$

$$f(z + \delta z) = (u + \delta u) + (v + i\delta v)$$

$$f'(z) = \lim_{\delta z \rightarrow 0} \frac{(u + \delta u) + (v + i\delta v) - (u + iv)}{\delta x + i\delta y}$$

$$f'(z) = \lim_{\delta z \rightarrow 0} \frac{\delta u + i\delta v}{\delta x + i\delta y} \quad (1)$$

This equation is differentiable

a) along real axis

$$\delta y \rightarrow 0$$

$$\delta z \rightarrow \delta x$$

$$f'(z) = \lim_{\delta x \rightarrow 0} \frac{\delta u}{\delta x} + i \frac{\delta v}{\delta x}$$

$$f'(z) = \lim_{\delta x \rightarrow 0} \frac{\delta u}{\delta x} + i \lim_{\delta x \rightarrow 0} \frac{\delta v}{\delta x}$$

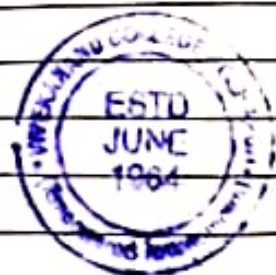
$$f'(z) = \frac{\partial u}{\partial x} + i \frac{\partial v}{\partial x} \quad (2)$$

b) along imaginary axis

$$\delta u \rightarrow 0$$

$$\delta z \rightarrow i\delta y$$

$$f'(z) = \lim_{i\delta y \rightarrow 0} \frac{\delta u}{i\delta y} + i \frac{\delta v}{i\delta y}$$



$$f'(z) = \lim_{i\delta y \rightarrow 0} \frac{\delta u}{i\delta y} + \lim_{i\delta y \rightarrow 0} \frac{i\delta v}{i\delta y} = \dots$$

$$f'(z) = \frac{i\partial u}{i^2 \partial y} + \frac{\partial v}{\partial y}$$

$$= -\frac{\partial u}{\partial y} + \frac{\partial v}{\partial y}$$

$$= \frac{\partial v}{\partial y} - \frac{\partial u}{\partial y} \quad \dots (2)$$

from the equation (2) and (3) we get the equation

$$\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y} \quad \text{and} \quad \frac{\partial v}{\partial x} = -\frac{\partial u}{\partial y}$$

This is the cauchy - raimann equation

where, $e^x(\cos y + i \sin y)$

$$e^x \cos y + i e^x \sin y$$

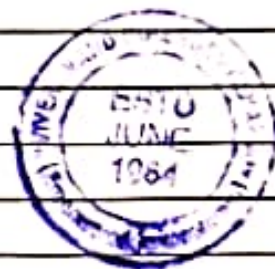
compare with $u + iv$

$$u = e^x \cos y$$

$$v = e^x \sin y$$

$$i) \frac{\partial u}{\partial x} = e^x \cos y$$

$$ii) \frac{\partial v}{\partial y} = e^x \cos y$$



$$\text{iii) } \frac{\partial u}{\partial y} = -e^x \sin y$$

$$\text{iv) } \frac{\partial v}{\partial x} = e^x \sin y$$

from above (i) and (ii)

$$\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$$

and from above (iii) and (iv)

$$\frac{\partial u}{\partial y} = -\frac{\partial v}{\partial x}$$

where

$$f'(z) = \frac{\partial u}{\partial x} + i \frac{\partial v}{\partial y}$$

$$f'(z) = (e^x \cos y + e^x \sin y)$$



Shrutika Sanbhaji Khat

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VIVEKANAND COLLEGE, KOLHAPUR (AUTONOMOUS)

SUPPLIMENT

Suppliment No. : 01

Roll No. :

Class : MSCI

Signature
of
Supervisor

Subject : Mathematical physics.

Test / Tutorial No. :

Div. :



Q3)
1) $\int_C \frac{e^z}{z^2+1} dz$, $|z|=2$

$\Rightarrow$ let,

$$|z^2+1| = 0$$

$$z^2 = -1$$

$$z = -i$$

$$z = +i$$

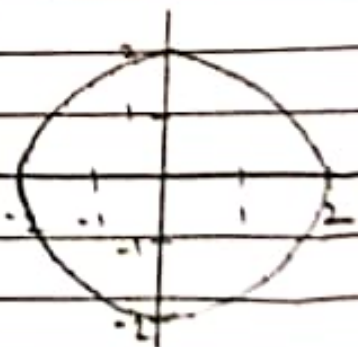
where the poles are

$$z = -i \text{ and } z = +i$$

where radius $r=2$

The poles are inside the curve.

hence Cauchy's Integral theorem



the Cauchy's integral theorem.

$$f(a) = \frac{1}{2\pi i} \oint_C \frac{f(z)}{(z-a)} dz$$

$$\oint_C \frac{f(z)}{(z-a)} dz = 2\pi i f(a)$$

$$\oint_C \frac{e^z}{z+i} dz = \oint_C \frac{e^z}{z+i^2} dz$$

$$= \oint_C \frac{e^z}{(z+i)-(z-i)} dz$$

$$= \oint_C \frac{e^z}{(z+i)} dz - \oint_C \frac{e^z}{z-i} dz$$

$$= \frac{1}{2i} \oint_C \frac{e^z}{(z+i)} dz - \frac{1}{2i} \oint_C \frac{e^z}{(z-i)} dz$$

$$= \frac{1}{2i} 2\pi i \oint_C \frac{e^z}{(z+i)} dz - \frac{1}{2i} 2\pi i \oint_C \frac{e^z}{(z-i)} dz$$

$$= \pi e^i - \pi e^{-i} \quad 26$$

$$f(a) = \pi (e^i - e^{-i})$$



Aniket Bajendra Pawar.

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SUPPLIMENT

Signature of Supervisor

Suppliment No. :

Subject Classical Mechanics

Roll No. 1317

Test / Tutorial No. :

Class

Mec I

Div. :

Q.1

1. The distance between Sun and earth is ' R '
The duration of the year if the distance between Sun and earth is ' $3R$ ' will be $9\sqrt{3}$ years

2. Kepler's Second law of motion is dealt with time period of the revolution of the Planet around the Sun.



Q2

2. Derive an expression for two body Problems Reduced to one body.

→ Polar Co-ordinate we can express it as
 $F(r) = n F(r)$

n is unit Vector along equivalent one Body.

Conjugation system has six degree of Freedom bec motion of the system consisting of m_1 & m_2 can be thought of made up motion of center of mass.

$$r = (r_1 - r_2)$$

Lagrangian eqⁿ become

$$L = T(R, \dot{r}) - V(r)$$

where r is separation between two particles

$$T(R, \dot{r}) = \frac{1}{2} (m_1 + m_2) \dot{R}^2 + T'$$

express same kinetic energy of Motion of Centre of T

V is pure function of r

r is separation between two particle

$$T' = \frac{1}{2} m_1 \dot{r}_1^2 + \frac{1}{2} m_2 \dot{r}_2^2$$

r_1 & r_2 are position of Vector

Where $m = m_1 + m_2$

Mass of the System

$$M = \frac{m_1 + m_2}{m_1 + m_2}$$

Reduce mass

The Lagrangian is

$$L = T - V$$

$$= \frac{1}{2} m \dot{r}^2 - V(r) \quad (2)$$

$$\sum_i m_i \dot{r}_i = 0$$

$$m_1 \dot{r}_1 + m_2 \dot{r}_2 = 0$$

$$\dot{r}_1 = - \left[\frac{m_2}{m_1} \right] \dot{r}_2 \quad (3)$$

Putting eqn (3) in (2)

$$L = \frac{1}{2} m \dot{r}^2 + \left[\frac{m_1}{m_1 + m_2} \right] \dot{r}^2 - V(r) \quad (4)$$

K.E

$$T = \frac{1}{2} (m_1 + m_2) \dot{r}^2 + \frac{1}{2} m_1 \left[\frac{m_2}{m_1 + m_2} \right]^2 \dot{r}^2 + \frac{1}{2} m_2 \left[\frac{m_1}{m_1 + m_2} \right]^2 \dot{r}^2$$



Putting Value r_1 for r_2 in (4)...

$$T = \frac{1}{2} [m_1 + m_2] R^2 + \frac{1}{2} \frac{m_1 m_2}{m_1 + m_2} \dot{r}^2$$

$$= \frac{1}{2} M R^2 + \frac{1}{2} \mu \dot{r}^2$$

Where $M = m_1 + m_2$

mass of the system.

$$\mu = \frac{m_1 \times m_2}{m_1 + m_2}$$

Reduce Mass

The Lagrangian is thus,

$$L = \frac{1}{2} M R^2 + \frac{1}{2} \mu \dot{r}^2 - V(r) \quad (5)$$

Lagrangian eqⁿ of motion in terms of the two variant R & r .

$$\frac{d}{dt} \left(\frac{\partial L}{\partial \dot{R}} \right) - \frac{\partial L}{\partial R} = 0 \quad (6)$$

$$\frac{d}{dt} \left(\frac{\partial L}{\partial \dot{r}} \right) - \frac{\partial L}{\partial r} = 0 \quad (7)$$



Aniket Rajendra pawar

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SUPPLIMENT

Suppliment No. :

Roll No. ~~1317~~ 1317

Class MSc I

Signature
of
Supervisor

Subject :

Test / Tutorial No.:

Div.:

Putting Value (5) in (6) (7).

$$\frac{d}{dt} (mg) = 0$$

$$\frac{d}{dt} (ur) + \frac{\partial V}{\partial r} = 0 \quad (8)$$

eqⁿ 8 that momentum Conjugate to R.
is Constant.

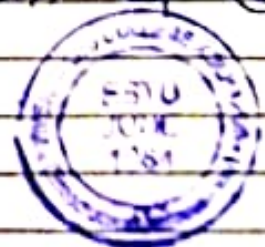
$$MR = \text{Constant}$$

$$R = \text{Constant.}$$

Central mass moves is Constant eqⁿ (8)



$$ur = - \frac{\partial V}{\partial r} (r)$$



$$\mu \ddot{r} = F_r$$

interparticle distance as r

$$L = \frac{1}{2} \mu \dot{r}^2 - V(r) \quad (9)$$

which effectively is describing the motion of component of r .



Q3

Explain Virial theorem.

- (6) System of Mass point with position Vectors r_i and applicable force F_i is Fundamental eqⁿ of motion will be.

$$p_i = F_i$$

let us:

$$Q = \sum_i p_i \cdot r_i \quad \text{--- (1)}$$

Time derivation will be

$$\frac{dQ}{dt} = \sum_i \dot{r}_i \cdot p_i = \sum_i m_i \dot{r}_i \cdot \dot{r}_i =$$

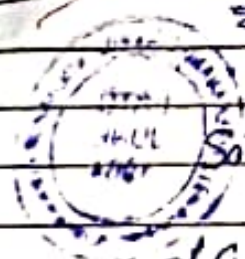
$$= \frac{1}{2} \sum_i m_i v_i^2 = 2T$$

and

$$\sum_i p_i \cdot r_i = \sum_i F_i \cdot r_i$$

So that

$$\frac{dQ}{dt} = 2T + \sum_i F_i \cdot r_i \quad \text{--- (2)}$$



eqn (2) Over time integration will be

$$\frac{1}{T} \int_0^T \sum_i \mathbf{F}_i \cdot \mathbf{r}_i dt = 2\bar{T} + \sum_i \overline{\mathbf{F}_i \cdot \mathbf{r}_i}$$

$$2\bar{T} + \sum_i \overline{\mathbf{F}_i \cdot \mathbf{r}_i} = \frac{dG}{dt}$$

$$= \frac{1}{T} [G(T) - G(0)] \quad \text{--- (3)}$$

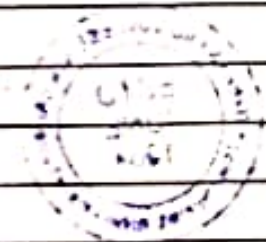
If the motion is periodic & T is

Periodic Then

$$G(T) = G(0)$$

$$\bar{T} = -\frac{1}{2} \sum_i \overline{\mathbf{F}_i \cdot \mathbf{r}_i} \quad \text{--- (4)}$$

eqn (4) known as Virial Theorem.



Shruthika Sambhaji Khat.

16
20

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Suppliment No. :

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Class : MSc I

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Subject : Classical Mechanics

Test / Tutorial No. :

Div. :

Q1

i) c) 9 years.

ii) b) time period of the revolution of the planet around the

Q2

⇒ 1) Every planet ~~also~~ revolves around the earth in elliptical orbit.

The attractive force is given by planetary motion which is under the inverse square law

$$f(r) = -\frac{k}{r^2}$$

the equation of the orbit is

$$\frac{d^2 u}{d\theta^2} + u = -\frac{k}{m} \frac{1}{u^2}$$



where

m = mass of planet

L = angular momentum

θ = poles of co-ordinates

where the equation of orbit is

$$\frac{d^2 u}{d\theta^2} + u = -\frac{m}{L^2} \times \frac{k}{r}$$

$$= \frac{mk}{L^2} \quad \text{--- (1)}$$

lets put $y = u - \frac{mk}{L^2}$

where $\frac{dy}{d\theta} = \frac{du}{d\theta}$

which becomes,

$$\frac{dy}{d\theta} + y = 0$$

the second order gives the equation as

$$y = u' \cos(\theta - \theta')$$

where u' and θ' are constant.

$$u - \frac{mk}{L^2} = u' \cos(\theta - \theta')$$



$$\frac{1}{r} = \frac{mk}{L^2} \left[1 + \frac{mk^2 u \cos \theta - \theta'}{L^2 u^2} \right]$$

$$= \frac{L^2/mk^2}{1 + u \cos \theta - \theta'}$$

where, for the simplification we take $\theta' = 0$
the θ'

$$= \frac{L^2/mk^2}{1 + u \cos \theta} \quad (2)$$

from the geometry the conic term is

$$r = r_0 \left(\frac{1}{1 + \epsilon} \right) \quad r_0 = \frac{L^2/mk^2}{1 + \epsilon} \quad (3)$$

Ellipse the bond are r_0 and r , or they are called radius also.

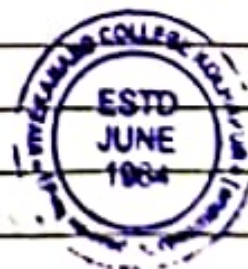
where,

$$r_0 = \frac{L^2/mk^2}{1 + \epsilon} \quad (4)$$

$$\epsilon = \frac{u' l'}{1 + \epsilon}$$

r_0 is minimum radius

for the r , radius is maximum where
the equation is



$$r_1 = r_0 \frac{1+\epsilon}{1-\epsilon}$$

$$r_1 = \frac{l^2/mk^2}{1+\epsilon} \frac{1+\epsilon}{1-\epsilon}$$

where the equation is

$$r_1 = \frac{l^2/mk^2}{1-\epsilon} \quad (5)$$

where the smallest radius r_0 is called perihelion

And the largest radius is called as aphelion.

For the potential equation

$$V_{eff} = V(r) = V(r) + \frac{l^2}{mr^2}$$

for the attractive force

$$f(r) = -\frac{k}{r}$$

for the potential force

$$V(r) = -\frac{k}{r}$$



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the quadratic equation $\left(\frac{1}{r}\right)$

$$\frac{1}{r} = \frac{k \pm \sqrt{k^2 - 4m^2/2m}}{1 \pm 2 - 1^2/2m}$$

$$r = \left[\frac{1 \pm \sqrt{1 - (1 + 2EI^2)/mk^2}}{mk^2} \right]^{1/2}$$

for the minimum value we get r_0

$$r_0 = \left[\frac{1 - (1 + 2EI^2)/mk^2}{mk^2} \right]^{1/2} \quad (6)$$

and for the maximum value we get r_1

$$r_1 = \left[\frac{1 + (1 + 2EI^2)/mk^2}{mk^2} \right]^{1/2} \quad (7)$$



comparing eqⁿ ① with ② we get

$$E = \left[\frac{1 + 1 + 2E^2}{mk^2} \right]$$

for the ellipse where $E > 0$

$$E = \left[\frac{r^2/mk^2}{\left(1 + (1 + 2E^2)^{1/2}\right) / mk^2} \cos \theta \right]$$

Keplers law of motion for the orbit

Q.3)

⇒ 1) Viral theorem -

We have consist of mass points r_i and

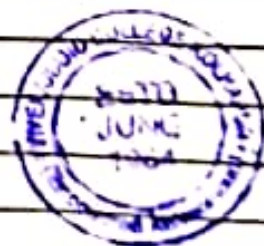
④ the force F_i

the eqⁿ $P_i = F_i$

then the equation becomes

$$G = F_i \cdot r_i$$

Its derivation is,



$$\frac{dG}{dt} = \sum_i r_i p_i + \sum_i p_i r_i$$

$$\text{But } \sum_i r_i p_i = \sum_i m_i r_i \cdot r_i =$$

$$= \sum_i m_i r_i^2$$

$$= 2T$$

$$\text{and } \sum_i p_i r_i =$$

It's time along integration is

$$\frac{dG}{dt} = \sum_i r_i p_i + \sum_i p_i r_i$$

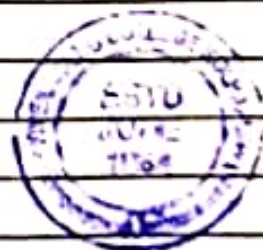
$$\leq 2T$$

$$\gamma = (G - G_0)$$

$$\gamma = G = G_0$$

$$T = -\frac{1}{2} \sum_i \dot{r}_i \cdot \sum_i \nabla_i V(r_i)$$

hence proved



Aniket Rajendra Powar

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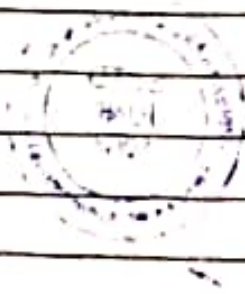
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Q1

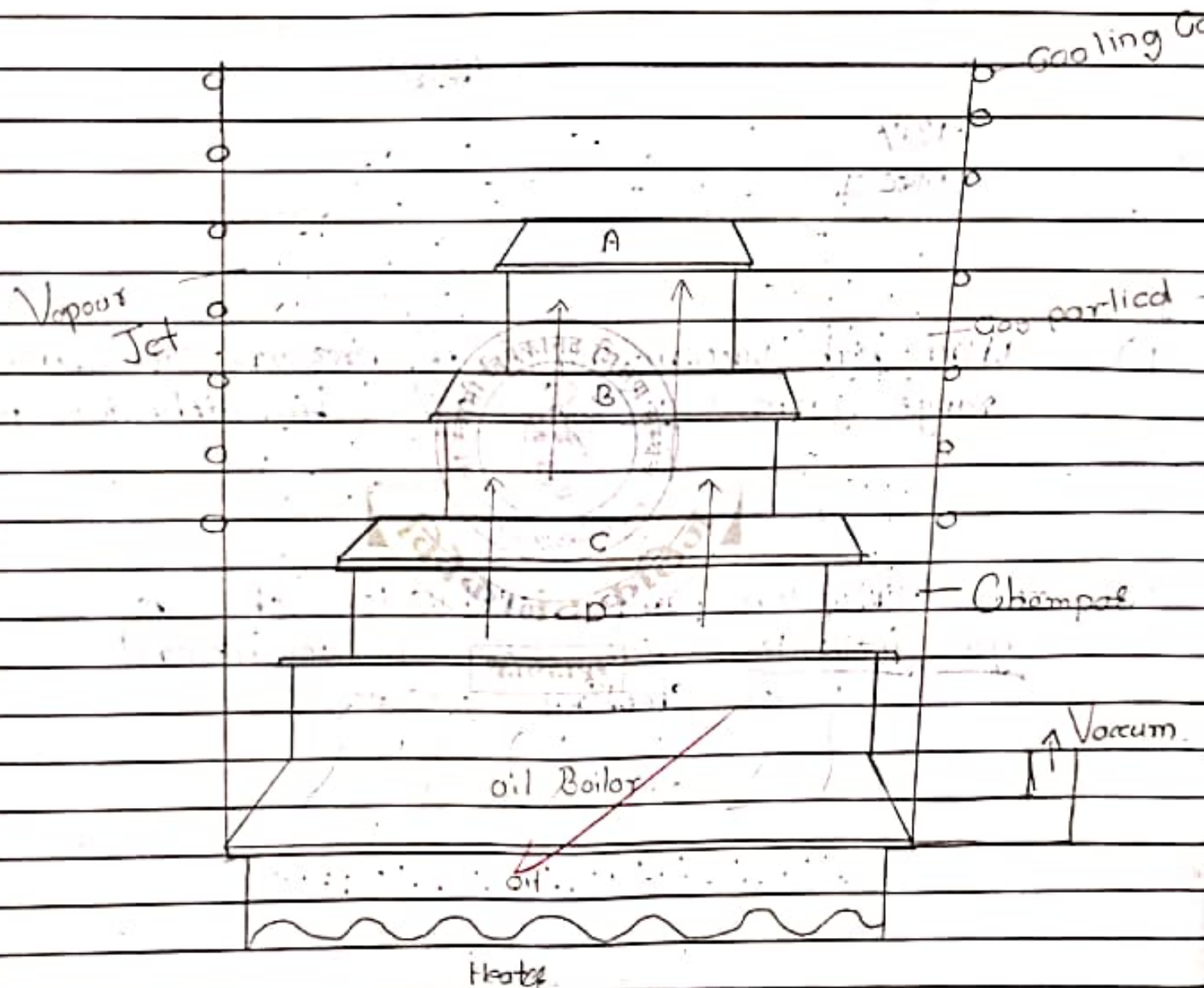
1) Ultra high vacuum range of pressure measurement ranges from 10^{-6} to 10^{-11} in diffusion pump

2) In diffusion pump, diffusion of gas molecules take place in downward shooting process.



Q 2 Long answer.

1) Explain diffusion and Sputter Ion pump



Diffusion Pump is one of the commonly used mechanism for creating high vacuum of industrial vacuum equipment. It is commonly used in Mass spectrometry, analytical instrument development.

Work & Construction of Diffusion Pump

1. It is also highly effective in producing vacuum upto 10^{-2} mbar even in a poor condition where reaction gases are present.

2. Diffusion Pump is stainless steel chamber that very rare based on application.

3. The interior of diffusion pump regardless of size of some condition consists of a varying size cone shaped pressure jet stacked vertically.

4. Lower cone is largest and decrease in size as you move upward.

5. The very bottom chamber is heater where silicon based diffusion pump oil is heated until it is evoked to the gases state.

6. The excited gas travel upward & exit through pressure jet that point at an downward direction.

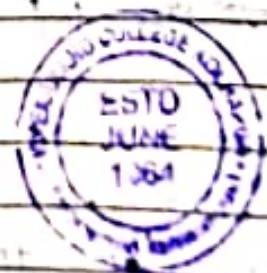
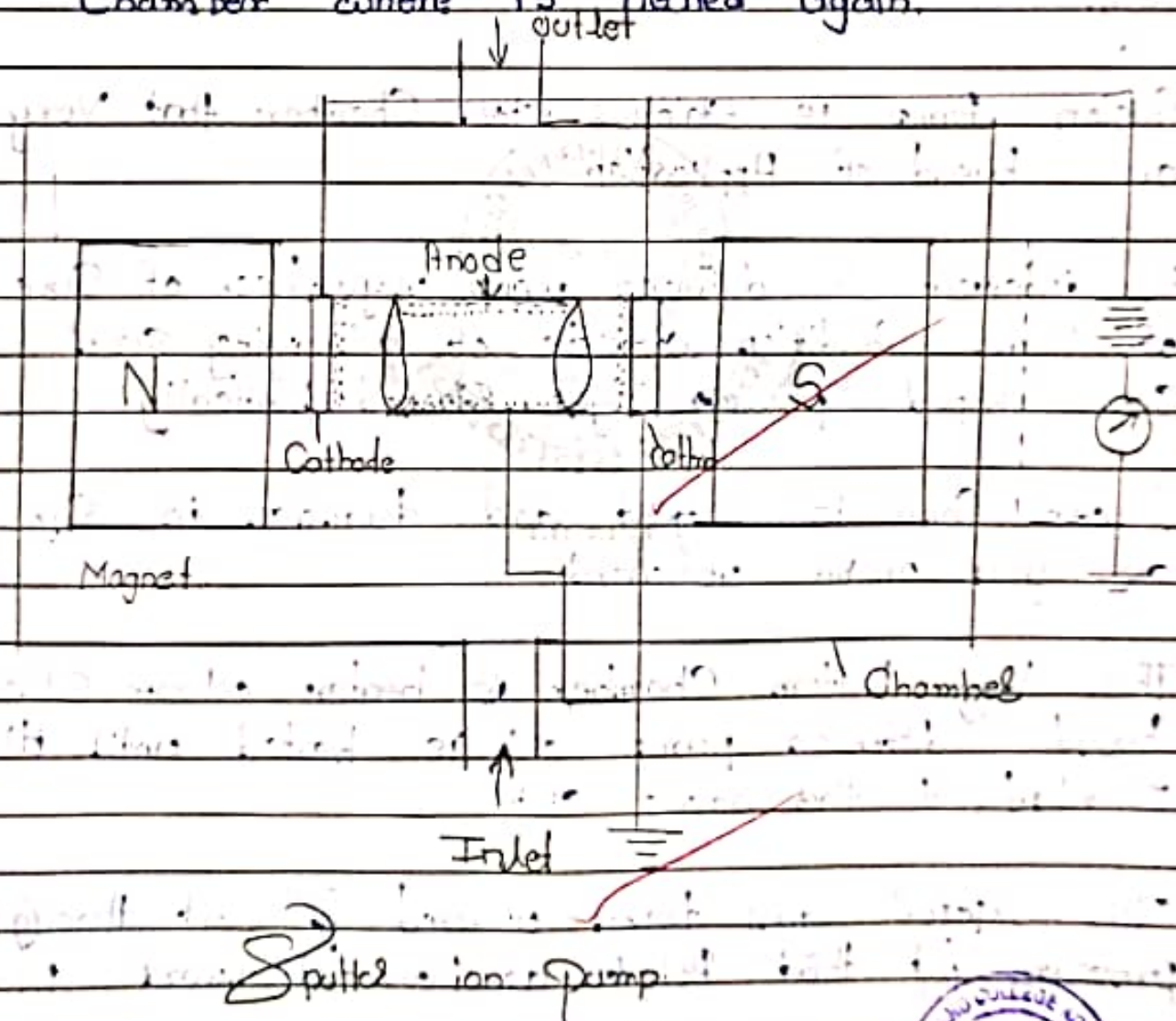
7. The downward shooting vapour travels incredible speed as the gas travels towards wall of the chamber it traps that air.



molecule along the way through Diffusion

8. As the walls of the chamber are usually water cooled as the gas reaches the chamber wall immediately returns to the liquid state. Releasing air molecules is the lower position. & increased Pressure Great Vacuum.

9. The oil pump to the bottom of the pump chamber where is heated again.



Aniket Rajendra Pooze

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Sputter ion pump is gas Capture type Vacuum pump that function without Pump Fluid. Sputter ion pump It mainly Combines electric & Magnetic Field to Ionic gas & that traps than & those by Great Vacuums.

1. Sputter ion Pump basically Consists of two electrodes. Ion i.e anode & Cathode & magnetic anode is usually Cylindrical & made up of Stainless steel.

2. Cathode plate Positioned on base both side of anode tube & made up of titanium which serves as gettering material.

3. magnetic anode is oriented along the axis of anode.

4. as we apply electric field across cathode it emits electrons & due to the pressure of magnetic field the move trajectories which improves the chance to Collide with gas molecules.

molecules

small charged particle

5. After Collision with gas molecules they create +ve & -ve ions so +ve ion moves toward cathode & -ve ion move toward anode respectively so charge separation give +ve & -ve current at cathode & anode.

6. So we get Vacuum inside this cell due to charge separation & medium inside this pump contains gas molecules.

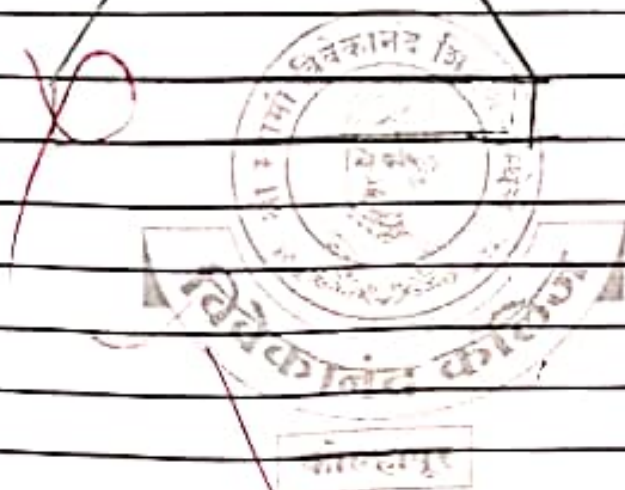
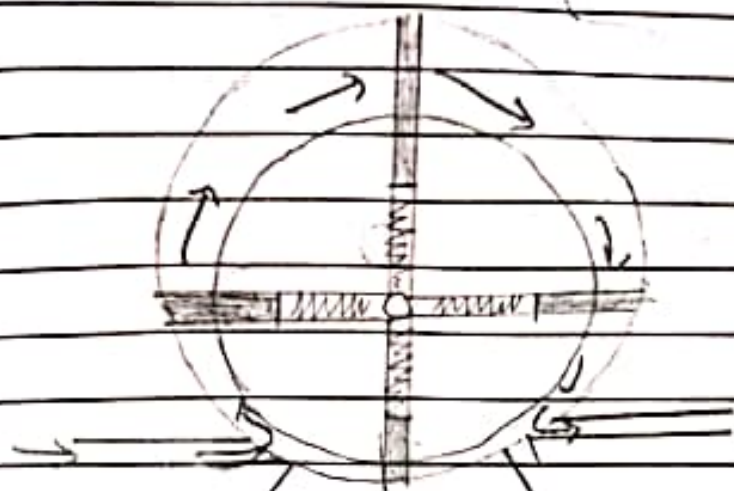
7. Great Ultra high Vacuum range i.e. 10^{-10} torr.

8. It's use is (1) Transmission electron Microscopy
(2) Semiconductor manufacturing Equipment.



Q3

Slatary pump.



Shubham Rajaram Rashivade

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Q.1)

1) Ultra high vaccum range of pressure measurement ranges from 10^{-6} to 10^{-11}

2) In diffusion pump, diffusion of gas molecules takes place in downwards shooting process

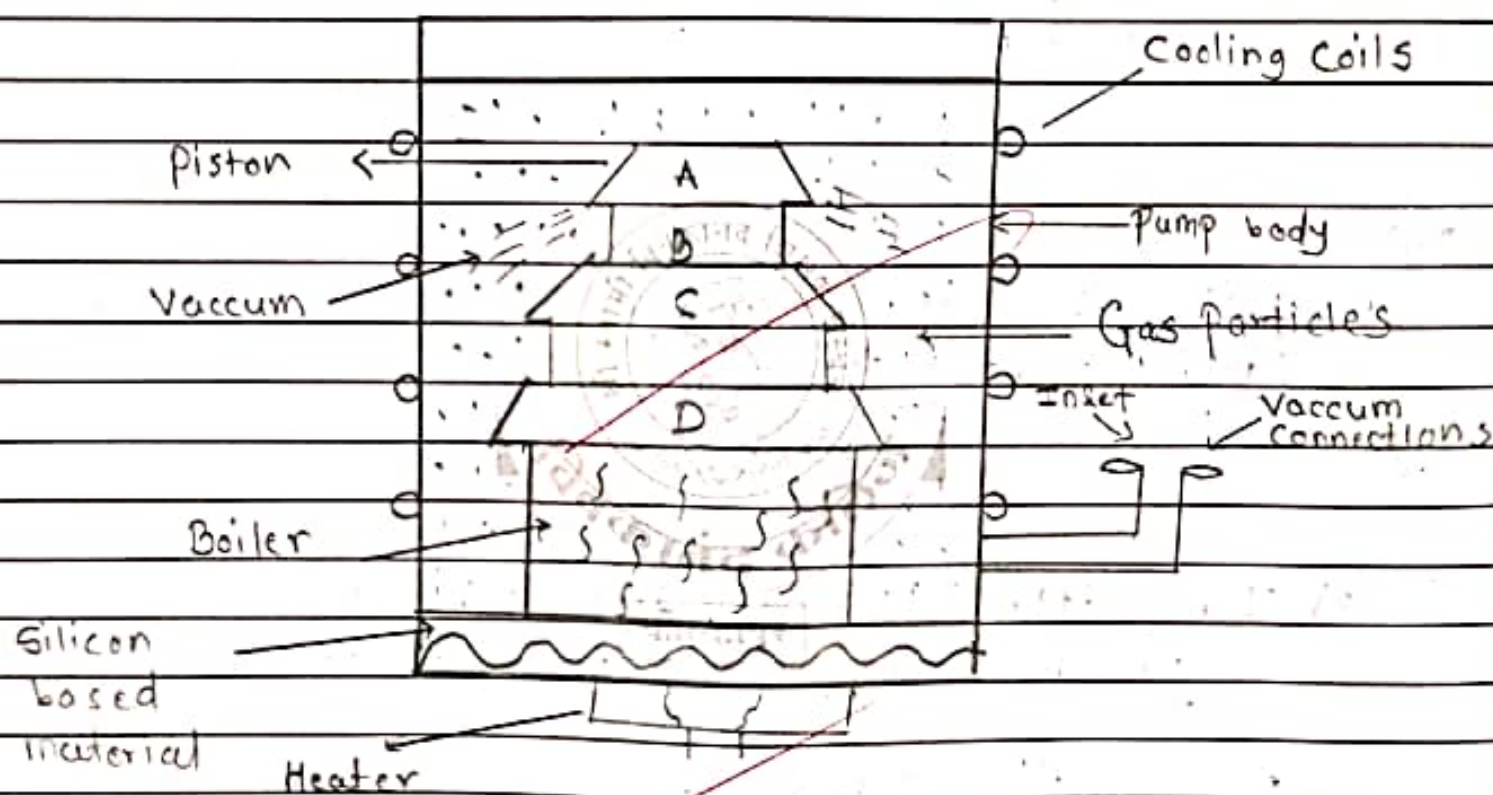


Q.2)

Diffusion ion pump.

Diffusion ion pump is basically used to measure pressure of vacuum.

Diagram



The diffusion ion pump pressure to create vacuum is around 10^{-12} mbar



Construction & Working

- 1) The diffusion ion pump is mostly made of stainless steel body
- 2) in this pump piston are placed vertically to each other
- 3) below the boiler silicon based reservoir is placed to heat
- 4) the size of piston is reduced as it moves upward.
- 5) the piston's are placed in a large cylindrical stainless steel body which has water in it.
- 6) below the ion pump there is a inlet is present (vacuum connections)

Working :

- 1) When a silicon based material is heated it becomes in a gaseous state
- 2) after the heating the material is moves upward towards the piston's
- 3) the gas particles travels towards the end of piston with a very high speed.
- 4) the gas particles travels in a such speed because of this speed there is a large portion of vacuum is created.



5) after gas particles enter in high pressure through the piston in the boiler there is water droplets and pressure

6) because of this water droplets the pressurised gas becomes in a liquid state.

7) These gas droplets travels through the vacuum connections & because of this vacuum is created.

ion pump

Sputter ion pump

In this pump the use of pump fluid is not necessary

Diagram:

Ionized ions

anode

Vacuum body

S

N

magnet

Cathode



Shubham Rajaram Rachivade

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Class :

Construction and working..

- 1) In this pump there is no pump fluid is required in this magnets are used which is cathode and anode
- 2) Two magnets are placed perpendicular to each other where cathode is used to produce ionized gas
- 3) Two cathode plate are placed perpendicular to each other and between them anode plate is placed to produce ionized ions
- 4) cathode and anode plates are placed in a vaccum body.

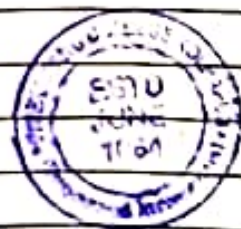


Working:

- 1) In sputter ion pump the vacuum is created by using ionized ions
- 2) When a charge is displaced in cathode the ions are formed on anode
- 3) The formed layer of ionized ions on anode form +ve and -ve charge particles
- 4) Where charged +ve and -ve ions are goes to there respectively
- 5) Because of this displacement of +ve and -ve ion's the ionized the vacuum is created in vacuum body.

Q.3)

2) Halogen leak detector.



Shruthika Ramchaji Khat

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Subject : Solid state physics

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Full

Q1)

1) b) N-type

2) c) drift velocity



Q2)

1) Alloy :-

It is made up by the combining of two or more metallic element

It is used to strength the corrosion

Example :-

The variation of energy bands with alloy and $\text{Al}_x\text{Ga}_{1-x}\text{As}$ and the variation it is shown by figure.

$\text{Al}_x\text{Ga}_{1-x}\text{As}$

where,

$$A_{1-x} Ga_{1-x} As = 0$$

where the x elements are

$$x = (0.0, 0.2, 0.4, 0.6, 0.8, 1)$$

By putting the values in it.

$$A_{1-0.0} Ga_{1-0.0} As = Ga As$$

$$A_{1-0.2} Ga_{1-0.2} As = A_{0.2} Ga_{0.8} As$$

$$A_{1-0.4} Ga_{1-0.4} As = A_{0.4} Ga_{0.6} As$$

$$A_{1-0.6} Ga_{1-0.6} As = A_{0.6} Ga_{0.4} As$$

$$A_{1-0.8} Ga_{1-0.8} As = A_{0.8} Ga_{0.2} As$$

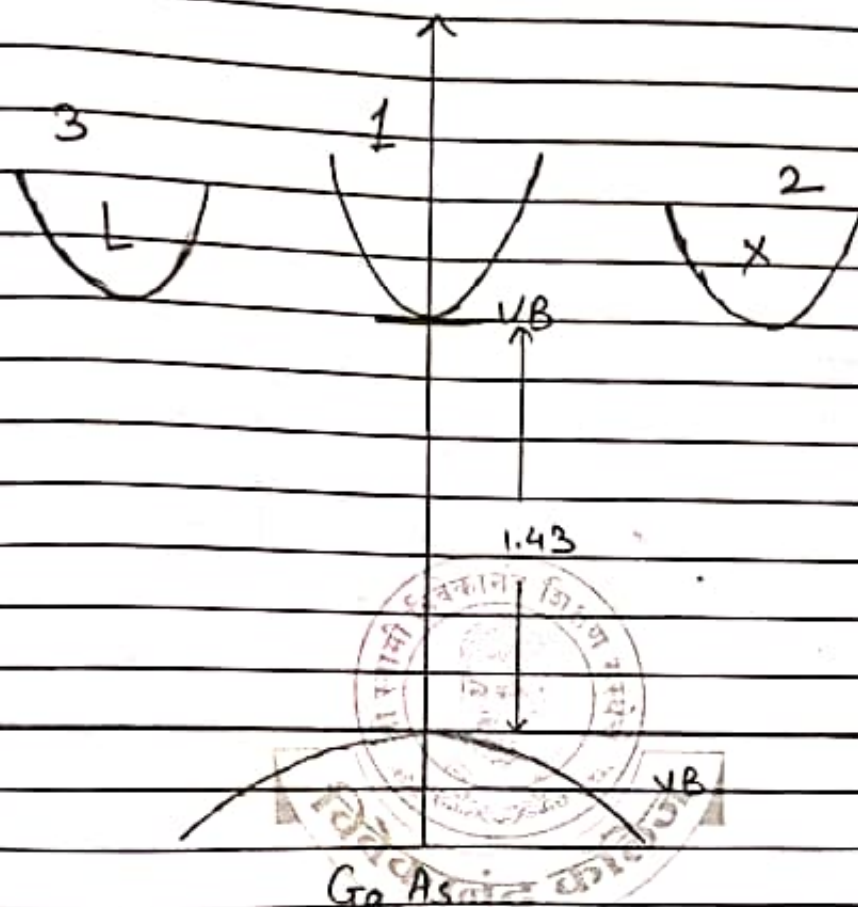
$$A_{1-1} Ga_{1-1} As = A As$$

We got the $Ga As$ for minimum and $A As$ for the maximum from the $A_{1-x} Ga_{1-x} As = 0$

in the next from we will take the figure for the $A_{1-x} Ga_{1-x} As = 0$ so we can get $Ga As$



Fig. (a)



From the above figure it is shown that GaAs are how alloy composition been made and it has $ev = 1.43$ and it has the variation of energy bands with the composition of it.

from $A_{1-x}Ga_xAs$ if we get the first variation of GaAs at the point 0.0 $A_{1-x}Ga_xAs = GaAs$

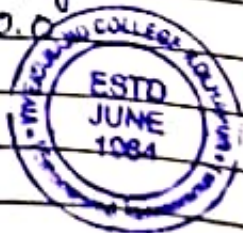
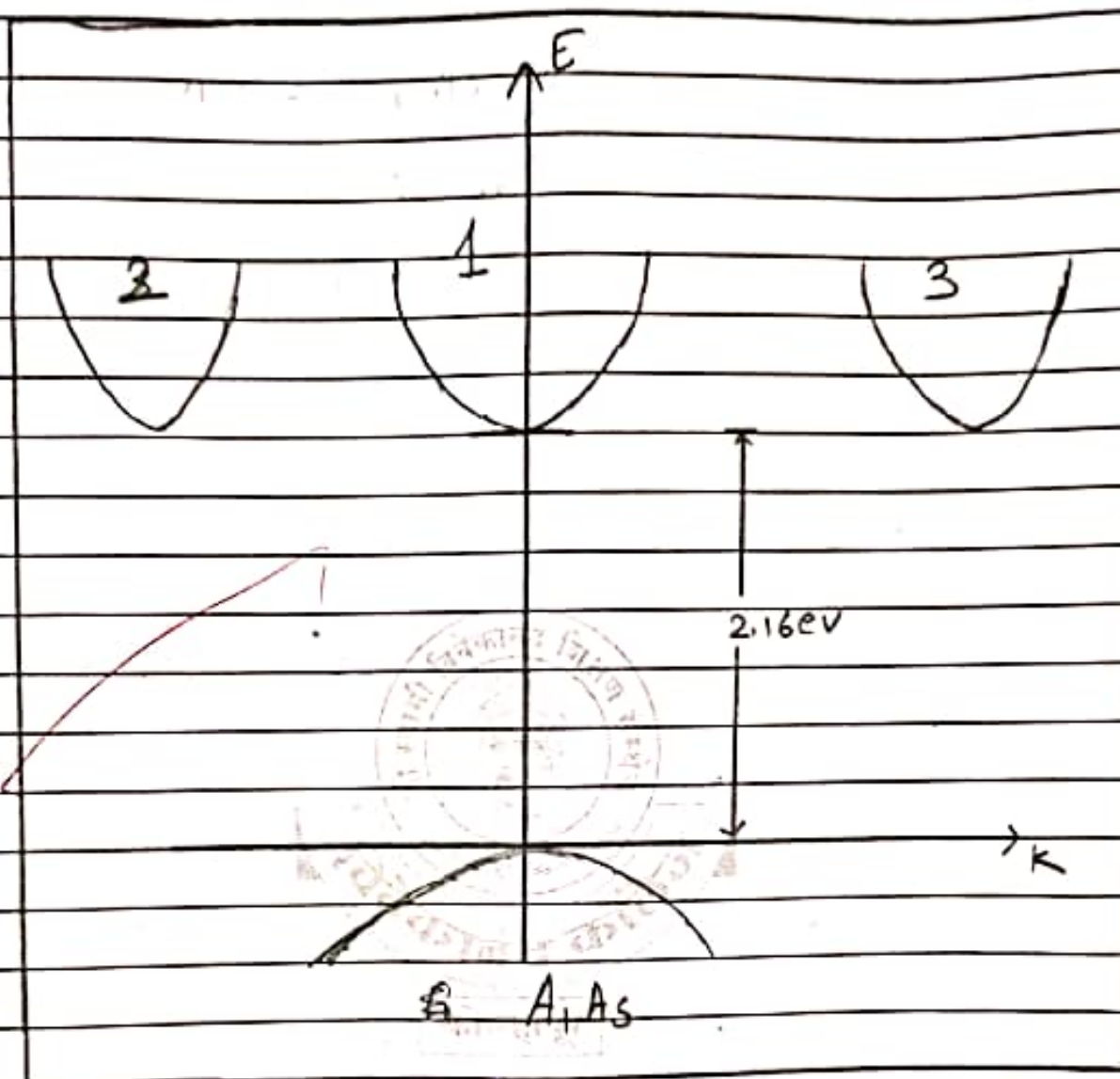


Fig (b)



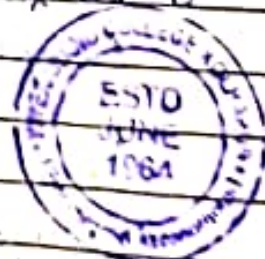
from the above figure we see it is shown that the alloy composition of A_1 is varied from it.

And at the point 1 from $A_1Ga_{1-x}As_x = 0$

$$A_1Ga_{1-x}As_x = 0$$

$$= A_1GaAs$$

the point at 2.16 eV the height of the composition which is varied by energy band.



Shrutika Ambhaji Kute.

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Div. :

Band gap
energy.

1.8

1.6

1.4

$Al_xGa_{1-x}As$

0.2

0.4

0.6

0.8

1

aluminium fraction

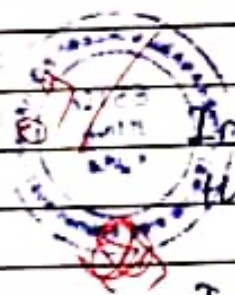


However, the variation of energy bands with alloy composition are done on $Al_xGa_{1-x}As$ where $GaAs$ was the minimum conduction band and $AlAs$ is the maximum band

2) Direct band gap semiconductor :-

In case of direct band gap semiconductor, top of conduction band and at the bottom of valence band there is same k .

In case of direct band gap semiconductor conduction band is minimum and in valence band it is maximum.



In case of direct band gap semiconductor the $h\nu = E_g$.

In direct band gap semiconductor conduction band & valence band are having $k=0$.

And the example of direct band gap semiconductor $As \rightarrow Sb$.



Name :- Supriya Raju Vlle.

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1. Atoms containing 5 valence electrons are known as N-type Semiconductor.

2. The electrons travel in the influence of electric field, this velocity is referred to as drift velocity.



2. Direct band-gap semiconductor :-

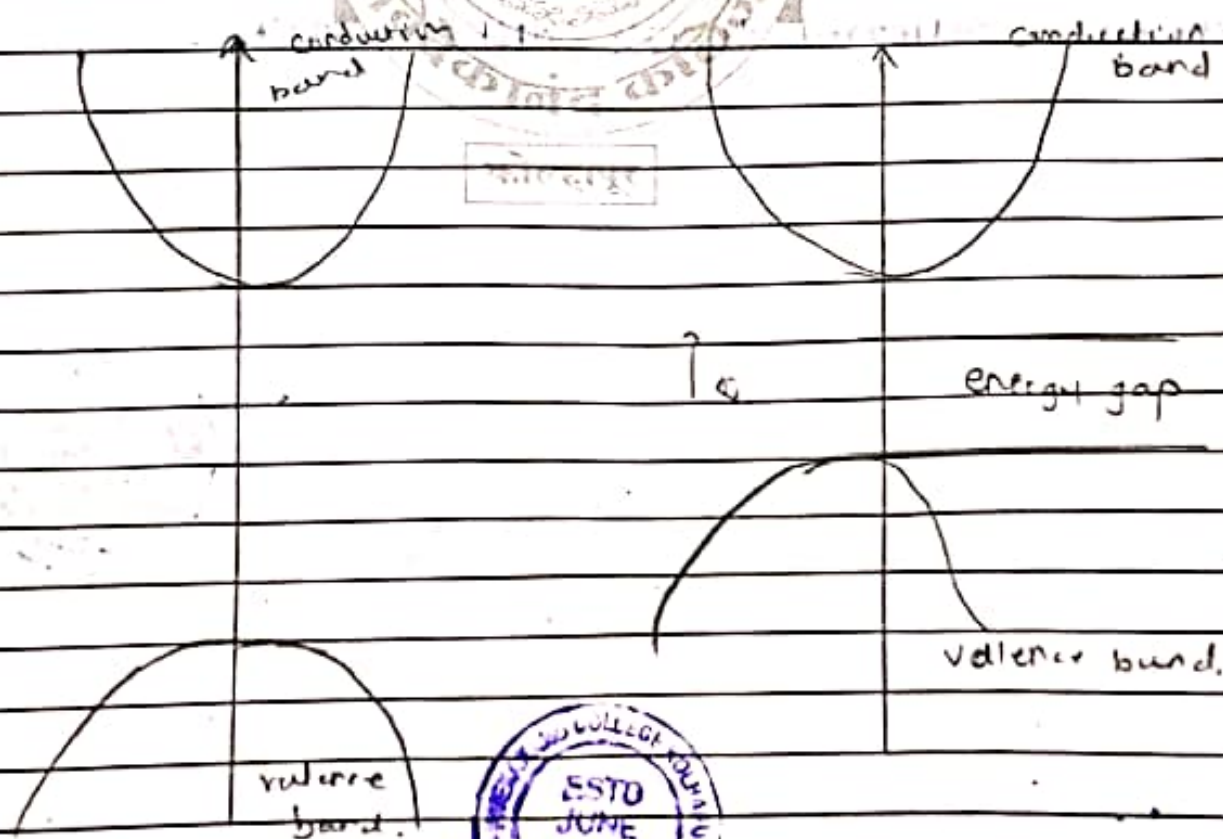
1) In this direct band-gap semiconductor the ^{bottom of} charge carrier is in the conduction band and top of valence band

2) In this direct band gap semiconductor the charge carrier of the bottom of the conduction band and top of the valence band lies in the same k .

3) In this band the valence band is maximum and conduction band is minimum.

4) It does not have momentum.

5) In the direct band gap semiconductor the electrons get excited - de-excited due to the photon.



2

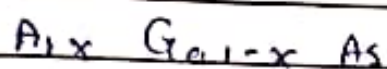
1) Alloy :-

It is made up by the combining of two or more metallic elements.

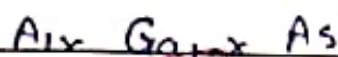
It is used to strength the corrosion.

Example :-

The variation of energy band with alloy and GaAs and AlAs and the variation, it is shown by figure



where



where the x elements are

$$x = (0.0, 0.2, 0.4, 0.6, 0.8, 1)$$

By putting the values in it

$$Al_{0.0} Ga_{1-0.0} As = GaAs$$

$$Al_{0.2} Ga_{1-0.2} As = Al_{0.2} Ga_{0.8} As$$

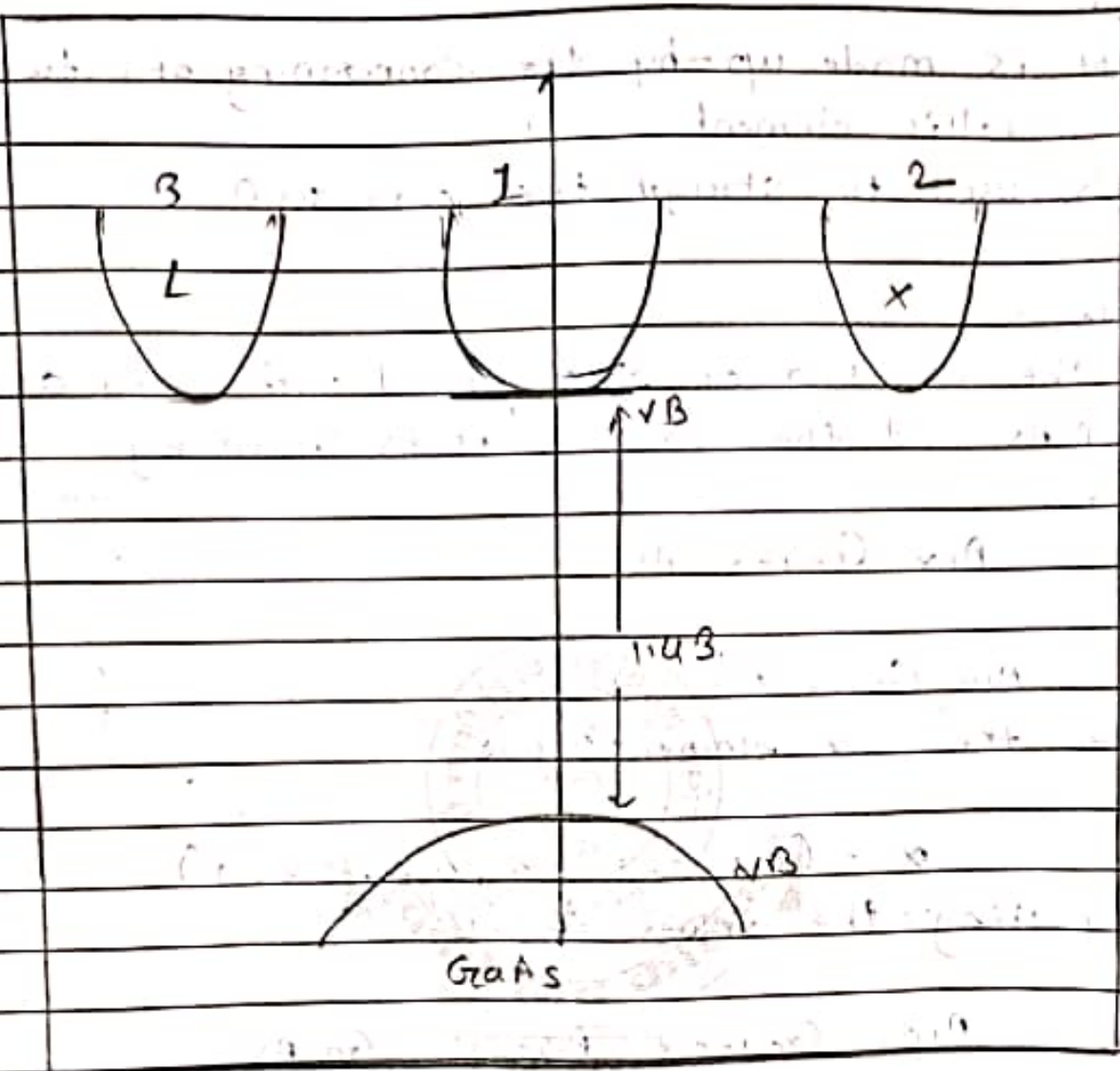
$$Al_{0.4} Ga_{1-0.4} As = Al_{0.4} Ga_{0.6} As$$

$$Al_{0.8} Ga_{1-0.8} As = Al_{0.8} Ga_{0.2} As$$

$$Al_1 Ga_{1-1} As = AlAs$$

the GaAs for minimum and AlAs for maximum
 the $Al_x Ga_{1-x} As = 0$
 the next from we will take the figure for
 the $Al_x Ga_{1-x} As = 0$ so we can get GaAs

Fig (a)



from the above figure it is shown that GaAs are how alloy composition been the variation of energy bands with the composition of it.

from $A_1x \text{ Ga}_{1-x} \text{ As} = 0$ we get the first variation of GaAs at the point 0.0.

$$A_1(0.0) \text{ Ga}_{1-0.0} \text{ As} = A_1 = \text{GaAs.}$$



Name :- Supriya Raju Wale.

॥ ज्ञान, विज्ञान आणि सुसंस्कार यांसाठी शिक्षण प्रसार ॥

- शिक्षणमहर्षी डॉ. बापूजी साबुळे

Shri Swami Vivekanand Shikshan Sanstha Kolhapur's

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VIVEKANAND COLLEGE, KOLHAPUR (AUTONOMOUS)

SUPPLIMENT

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of
Supervisor

Suppliment No. : 1.

Roll No. :

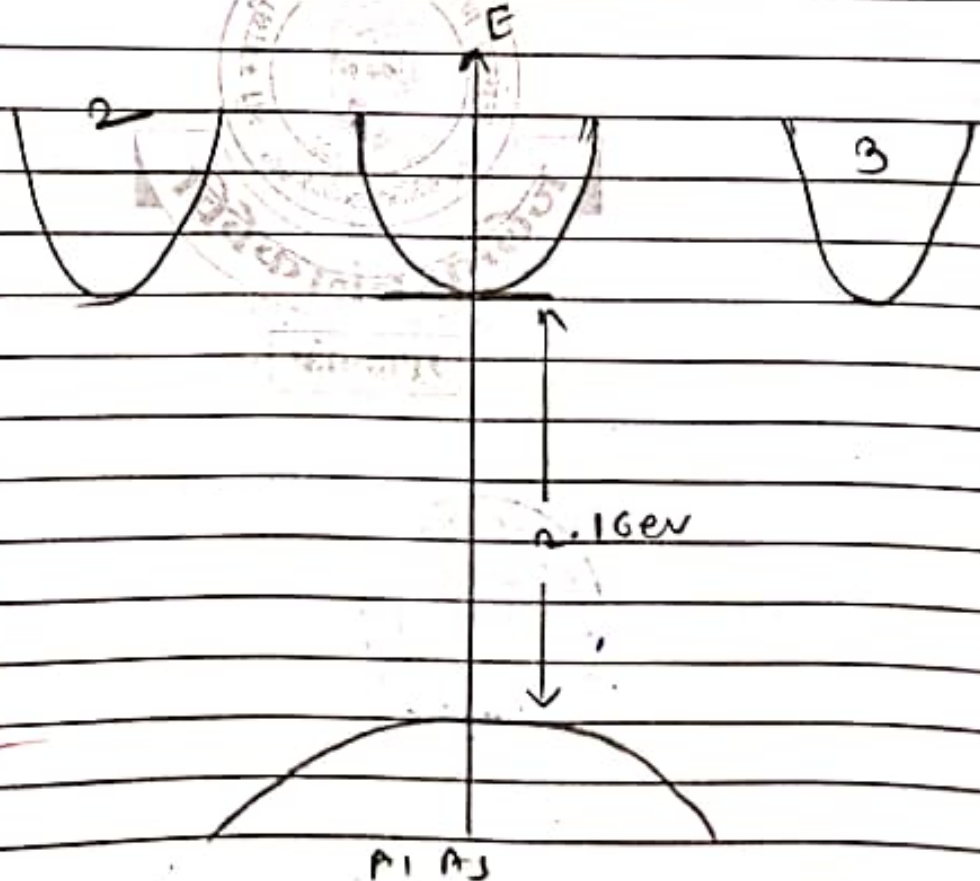
Class : MSc. I

Subject : Solid state physics

Test / Tutorial No. :

Div. :

2. fig (b)



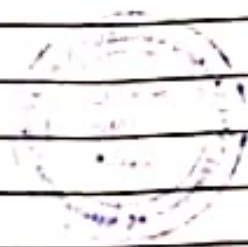
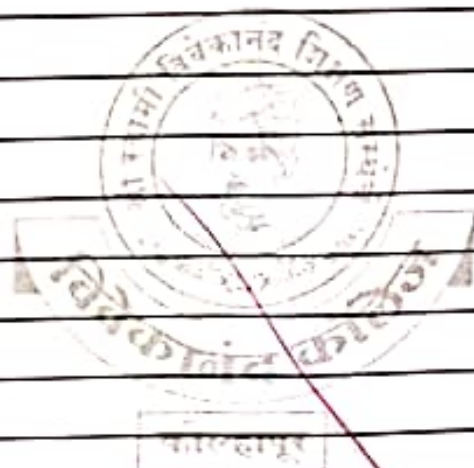
from the above figure it is shown that the alloy composition of 1 is varied from it.

And at the point 1 from $\text{Al}_x\text{Ga}_{1-x}\text{As} \approx 0$

$$\text{Al}_x\text{Ga}_{1-x}\text{As} \approx 0$$

$$\approx \text{AlGaAs}$$

the point at 2.16 eV the height of the composition which is varied by energy band.



Vivekanand College, Kolhapur

(Empowered Autonomous)

Department of Physics

B. Sc. / M.Sc. Part - I, Semester - I, PHYSICS Paper - _____

Title of the Paper: Classical Mechanics, Math Physics, Research Methodology & SSP-I

Name of Teacher: _____

Attendance Sheet

Sr. No.	Name of the Student	Math 24/07/24	classical 25/07/24	R.M 26/07/24	SSP-I 27/07/24
1)	Sudarshan Nivas Khutale	Present	Present	Present	Present
2)	Rutuja S. Ghatge	Present	Present	Present	Present
3)	Supriya R. Vile	Present	Present	Present	Present
4)	Pooja J. Godhari	Present	Present	Present	Present
5)	Prajakta D. Desai	Present	Present	Present	Present
6)	Vishal B. Ghatage	Present	Present	Present	Present
7)	Yash M. Lagare	Present	Present	Present	Present
8)	Shrutika S. Khot	Present	Present	Present	Present
9)	Shubham R. Roshivade	Present	Present	Present	Present
10)	Kureshi Aftab Amir	Present	Present	Present	Present
11)	Aniket R. Powar	Present	Present	Present	Present
12)	Mohammad Patelceri	Present	Present	Present	Present
13)					
14)					
15)					
16)					
17)					
18)					
19)					
20)					

