

"Education for Knowledge, Science and Culture"
-Shikshanmaharshi Dr. Bapuji Salunkhe

Shri Swami Vivekanand Shikshan Sanstha's
Vivekanand College (Empowered Autonomous), Kolhapur.
Department of Physics
B.Sc.-I Internal Evaluation Examination, Mar-2024
Subject Name: Electricity and Magnetism – I

Day and Date: Tuesday, 12-3-2024

Time: 10 AM

Marks (10)

Note:

1. All questions are compulsory
2. **Question 1** contains 2 questions 1 mark each
3. **Question 2** contains 2 questions 4 mark each
4. Answer the questions after carefully reading the text

Q. I. Select the correct alternatives

(02)

- 1) The moving coil galvanometer is used for measurement offlows through the coil.
a) current
b) charge
c) current density
d) flux density
- 2) The magnetic field at a point along the axis of an infinitely long current carrying solenoid is
a) $\mu_0 n I$
b) $\frac{\mu_0 n I}{2}$
c) $\frac{\mu_0 n I}{4}$
d) $\frac{\mu_0 I}{2}$

Q. II. Answer the following questions (Any Two)

(08)

- 1) What is the ballistic galvanometer? Explain the constants of B.G.
- 2) Derive an expression for the growth of charge in a circuit containing inductance (L) and Capacitor (C) and source of e.m.f in a series.
- 3) Explain the Biot-Savarts law.



Shri Swami Vivekanand Shikshan Sanstha, Kolhapur's

Vivekanand College, Kolhapur

(Empowered Autonomous)

Department of Physics

B. Sc. / M.Sc. Part - I, Semester - II, PHYSICS Paper - _____

Title of the Paper: Electricity & Magnetism.

Name of Teacher: _____

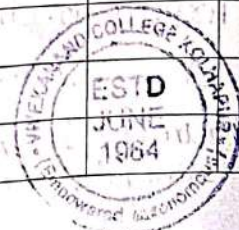
Date : 12/03/2024

Attendance Sheet (Internal Examination)

Sr. No.	Name of the Student	12-03-2024	Seat No.				
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2)	Rupesh M. Nigade	<u>Nigade</u>	7260				
3)	Shreyas. S. Pawar	<u>Pawar</u>	7261				
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10
10

Subject : Electricity & Magnetism - I

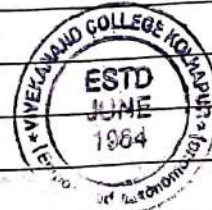
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Div. :

Q.T.

1) b) charge

2) a) $\mu_0 n I$



Q. II

i) Ballistic galvanometer is also called as moving coil galvanometer (M.C.G).

M.C.G. is used to measure the total charge flowing through.

Principle: 'A rectangular coil suspended in a magnetic field experiences torque as current flows through it.'

There are 4 constants of B.G

Figure of merit

Current sensitivity

Voltage sensitivity

Charge sensitivity

a) Figure of merit:

The current (μA) required to produce deflection (mm) on a scale of $\pm$ placed at 1m distance from the mirror of galvanometer.

If current $1 \mu A$ is required to produce deflection θ mm on a scale placed at 1m distance from mirror of galvanometer is $K = \frac{\theta}{I_g}$

Its unit is $\frac{mm}{\mu A}$.

b) Current sensitivity:

The deflection (θ mm) produced by current ($1 \mu A$) on a scale placed at 1m distance from



reciprocal of
mirror of galvanometer. It is $\wedge$ figure of merit.

$$S = \frac{\theta}{I_g}$$

$$\theta$$

$\therefore$ Its unit is $\mu A/mm$

c) Voltage sensitivity:

The deflection (θ mm) produced by potential difference of $1 \mu V$ on a scale placed at $1m$ distance from galvanometer.

$\therefore$ Voltage sensitivity

$$= \frac{\theta}{I_g \cdot G}$$

$$= \frac{\theta}{I_g \cdot G}$$

$$= \frac{\theta}{I_g \cdot G}$$

$$= \frac{\theta}{I_g \cdot G}$$

$$= \frac{\theta}{I_g \cdot G}$$

$$\theta = K \cdot I_g$$

Its unit is $\theta/\mu V$ $mm/\mu V$

d) Charge sensitivity:

The deflection θ (mm) produced by $1 \mu C$ charge on a scale of mm galvanometer placed at $1m$ distance. Its unit is $mm/\mu C$

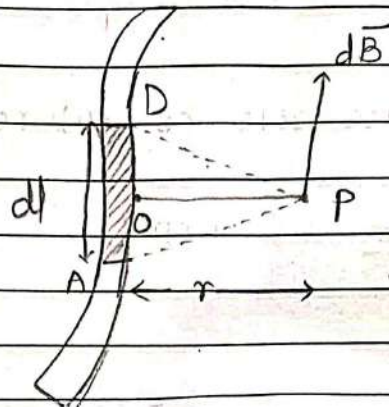
$$\text{Charge sensitivity} = \frac{\theta}{q}$$

$$\therefore q = \frac{T}{2\pi} \cdot \frac{C}{nBA} \cdot \theta$$

$$\therefore \text{Charge sensitivity} = \frac{2\pi}{T} \cdot S$$

$S =$ Current sensitivity.

3)



Biot Savarts law states that, 'The magnetic field at point P is directly proportional to

- The length of element 'dl'
- The current I flowing through it.
- The sine angle between the element & the line joining the centre of the element to point P.
- & is inversely proportional to square of distance of the line joining the centre of element O to P point.

$$\therefore dB \propto \frac{I dl \sin \theta}{r^2}$$

$$\therefore dB = k \frac{I dl \sin \theta}{r^2}$$

where value of k depends upon the medium in which it is placed.

For air or vacuum,

$$k = \frac{\mu_0}{4\pi}$$

where μ_0 = permeability of free space.

$$\therefore dB = \frac{\mu_0}{4\pi} \frac{I dl \sin \theta}{r^2} \quad \text{--- (1)}$$



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Subject : Electricity & Magnetism -I

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Div. :

& in vector form,

$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\vec{l} \times \vec{r}}{r^3}$$

The given equation is in vector form. It is given by Fleming's hand rule (right). The magnetic field $d\vec{B}$ is perpendicular to plane ADP.

For total magnetic field we integrate the eqⁿ (2),

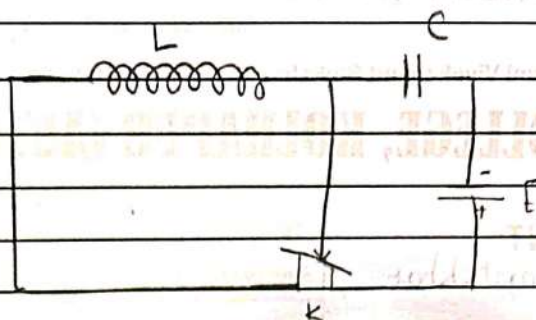
$$\therefore \int d\vec{B} = \int \frac{\mu_0}{4\pi} \frac{I d\vec{l} \times \vec{r}}{r^3}$$

$$\therefore B = \frac{\mu_0}{4\pi} \left(\frac{I d\vec{l} \times \vec{r}}{r^3} \right)$$

09



2)



Consider, an a pure inductance (L), condenser of capacity (C) connected in series with a battery of emf (E) & morse key (K)

When the key is closed current flows in the circuit through inductance & gets stored in the capacitance.

The equation of emf is,

$$E = L \frac{di}{dt} + \frac{q}{C}$$

$$\therefore \frac{E}{L} = \frac{di}{dt} + \frac{q}{LC}$$

$$\therefore \frac{di}{dt} = i = \frac{dq}{dt}$$

$$\therefore \frac{E}{L} = \frac{d^2q}{dt^2} + \frac{q}{LC}$$

$$\therefore \frac{d^2q}{dt^2} + \frac{q}{LC} - \frac{EC}{LC} = 0$$

$$\therefore \frac{1}{LC} = k^2$$

$$\therefore \frac{d^2q}{dt^2} + k^2q - k^2EC = 0$$



$$\therefore \frac{d^2 q}{dt^2} + k^2(q - EC) = 0$$

$$\therefore \frac{d^2 q}{dt^2} + k^2 x = 0$$

$$\text{--- } (q - EC) = 0$$

$$\text{--- } \frac{d^2 q}{dt^2} = \frac{d^2 x}{dt^2}$$

$$\therefore \frac{d^2 x}{dt^2} + k^2 x = 0 \quad \text{--- (2)}$$

$\therefore$ The above eqⁿ (2) is of form $(D^2 + k^2)x = 0$

$$\therefore D^2 = -k^2$$

$$\therefore D = \pm ik$$

$\therefore$ B solⁿ of eqⁿ is,

$$x = Ae^{ikt} + Be^{-ikt}$$

$$x = A[\cos kt + i \sin kt] + B[\cos kt - i \sin kt]$$

$$\therefore q - EC = (A + B) \cos kt + (A - B) i \sin kt$$

$$\therefore A + B = G, \quad i(A - B) = H$$

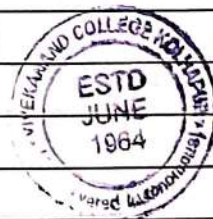
$$\therefore q = EC + G \cos kt + H \sin kt$$

$$EC = q_0$$

$$\therefore q = q_0 + G \cos kt + H \sin kt \quad \text{--- (3)}$$

$$i = \frac{dq}{dt}$$

$$\therefore i = 0 - Gk \sin kt + Hk \cos kt \quad \text{--- (4)}$$



for $t=0$, $q=0$

$$\text{Eq}^n (3) \Rightarrow Q = -q_0$$

for $t=0$, $i=0$

$$\text{Eq}^n (4) \Rightarrow H=0, k \neq 0.$$

$$\therefore \text{Eq}^n (3) \Rightarrow q = q_0 - q_0 \cos kt$$

$$q = q_0 (1 - \cos kt) \quad \text{--- (5)}$$

$$\therefore \text{Eq}^n (4) \Rightarrow i = q_0 k \sin kt \quad \text{--- (6)}$$

Eqⁿ (5) shows simple harmonic motion. Therefore it oscillates by q_0 & time period is given by

$$T = \frac{2\pi}{k}$$

$$(64) = 2\pi \sqrt{LC} \quad \text{--- } k^2 = \frac{1}{LC}$$

Eqⁿ (6) shows that it oscillates with amplitude $q_0 k$ time period is given by

$$\therefore T = \underline{2\pi \sqrt{LC}}$$

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Suppliment No. : 1

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Class : BSC-I

Subject : physics (Mechonism)

Test / Tutorial No. :

Div. : A

Q.1

1) ~~change~~

2) ~~Mon I.~~



Q.2

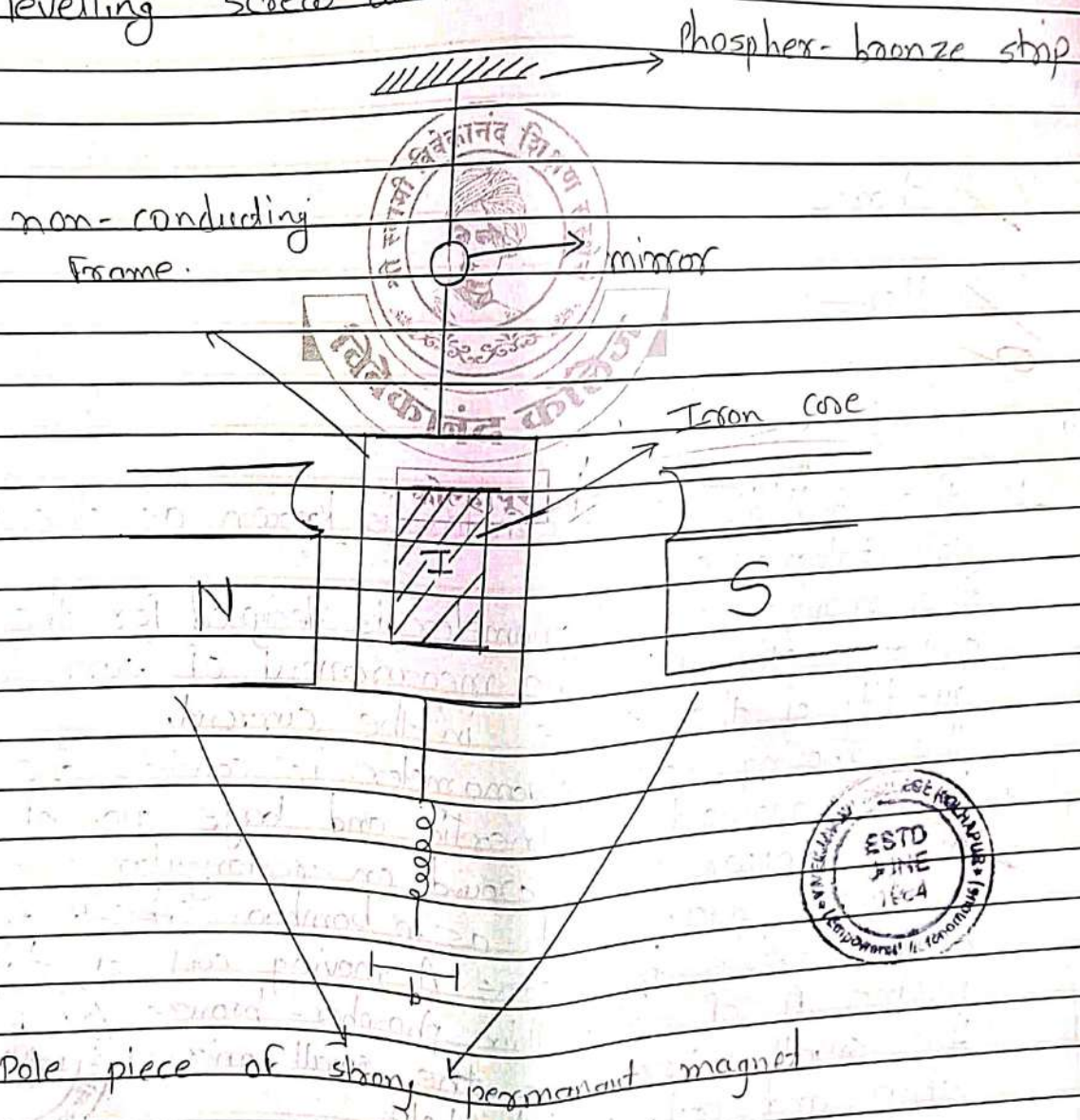
1) the Ballistic Galvanometer is known as the moving coil Galvanometer.

the moving coil galvanometer is designed for the galvanometer for the measurement of ~~curr~~ total quantity of the charge in the current.

the moving coil galvanometer is consists the ~~to~~ large moment of Inertia and large no. of turns ~~in~~ of copper Turn around on rectangular non-conducting wire such as ~~to~~ bombon. The ~~A~~ phosphor-bronze strip by means A moving coil of strip by means ~~A~~ of ~~thin~~ thin phosphor-bronze ~~the small mirror is the small mirror~~ strip and coil. which helps



The Tiron core is attached to the strip in the strip is in the form of Helix. The small mirror is attached to the strip and coil which helps to the measurement of galvanometer by lamp scale galvanometer. Tiron core is placed inside the non-conducting frame. due to magnetic field, the plane of coil is always remains parallel to the magnetic Induction. the whole arrangement is in the metallic case and glass of window at the base and levelling screw at the base.



Constants of B.G.

1) Figure of merit.

The current (μA) is required produces a deflection (mm) on a scale kept at a distance 1m from the mirror of galvanometer.

It's unit of galvanometer (mm on a scale kept at distance from the mirror of the galvanometer).

$$\text{Figure of merit} = \frac{\mu A}{m} \cdot \frac{I_g}{\theta}$$

It's unit is = $\frac{\mu A}{mm}$

2) Current of sensitivity

The deflection (mm) produced by the current (μA) on a scale kept at a distance 1m from the mirror of the galvanometer.

It is denoted by 'S'. The current of sensitivity is the reciprocal of figure of merit.

$$\text{Current of sensitivity} = S = \frac{1}{I_g}$$

It's unit is = $\frac{mm}{\mu A}$.



3) Voltage sensitivity:

The deflection (mm) produced by the potential difference across the galvanometer on a scale

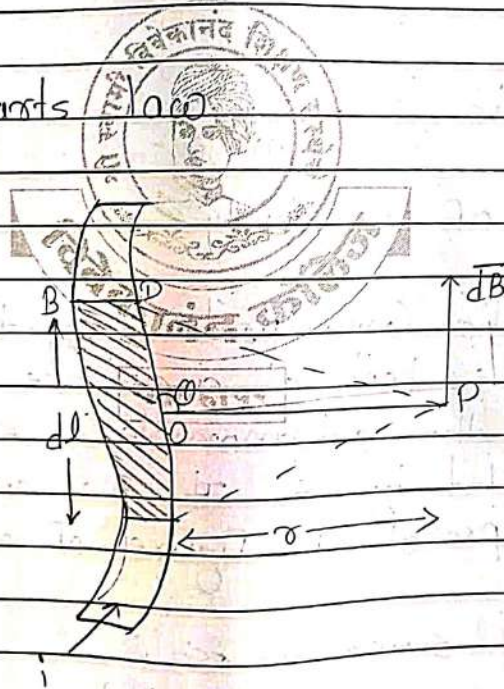
kept at a distance 1m from the mirror of galvanometer.

$$\text{Voltage Sensitivity} = \frac{\theta}{V_g} = \frac{\theta}{I_g G} = \frac{S}{G}$$

4) ~~the~~ charge sensitivity:

The charge or corrected deflection (mm) produced by the charge (C) on a scale kept at a distance 1m from the mirror of galvanometer.

3) Biot - Savarts law



Biot - Savarts law states that the magnetic field due to the ~~charge~~ ^{current} it's flow in the circuit. it is the inversely proportional to the

- i) the length of the current
- ii) the current i flow through it conductor.
- iii) the line joining the centre of element at the point P .

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Subject : physics

Test / Tutorial No. :

Div. : A

iv) the square of the distance (r^2) from the point P to at the O.

$$dB = \frac{I dl dr}{r^2}$$

$$\therefore dB = k \frac{I dl dr}{r^2}$$

where, the value of $k = \frac{\mu_0}{4\pi}$.

Put the value $k = \frac{\mu_0}{4\pi}$ in the eqⁿ ①.

$$dB = \frac{\mu_0}{4\pi} \int \frac{I dl dr}{r^2}$$

the μ_0 is the permeability of the free space.

$$dB = \frac{\mu_0}{4\pi} \int \frac{I dl}{r^2}$$

In vector form.

$$\vec{dB} = \frac{\mu_0}{4\pi} \int \frac{I d\vec{l} \times \vec{r}}{r^3}$$

the total Biot - savarts law is



$$B = \frac{\mu_0}{4\pi} \frac{Idl \times \vec{r}}{r^3}$$

09



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10/10

Subject : Physics

Test / Tutorial No. :

Div. : A

Q.1

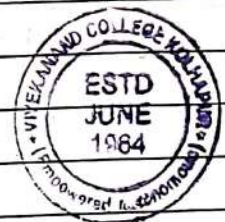
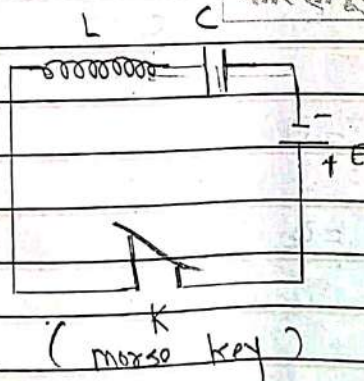
1] b) ~~current~~ density charge

2] a) $\mu_0 n I$

1.2

2]

→ Ans: -



In the circuit Inductance 'L', condenser of capacity 'C' are connected in series with the battery (E). A special type of key is connected in the circuit called Morse key (K).

When the morse key is closed the charges flowing through Inductance and it is stored by condenser 'C'.
 q and i will be the instantaneous charge and current will be developed.
 The e.m.f of the circuit is,

$$E = L \frac{di}{dt} + \frac{q}{C} \quad \text{--- (1)}$$

where

$$i = \frac{dq}{dt}$$

$$L \frac{d^2q}{dt^2} + \frac{q}{C} = E$$

$$\frac{d^2q}{dt^2} + \frac{q}{LC} = \frac{E}{L}$$

(Divided by L b.s)

then we know,

$$\frac{1}{LC} = k^2$$

$$\text{and } \frac{E}{LC} = \frac{EC}{LC} = k^2 EC$$

then above eqn

$$\frac{d^2q}{dt^2} + k^2 q - k^2 EC = 0$$

$$\frac{d^2q}{dt^2} + (q - EC) k^2 = 0$$

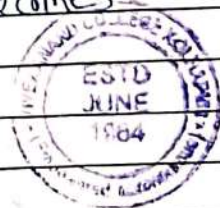
$$\text{Let } q - EC = x$$

diff w.r.t + above eqn becomes

$$\frac{dq}{dt} = \frac{dx}{dt}$$

$$\frac{d^2q}{dt^2} = \frac{d^2x}{dt^2}$$

-- (again diff w.r.t t)



$$\frac{d^2 q}{dt^2} + k^2 q = 0 \quad \text{--- (2)}$$

Put Above eqn in the form of operator

$$(D^2 + k^2) q = 0$$

$$D^2 + k^2 = 0$$

$$D^2 = -k^2$$

$$D = \pm i k$$

$$q = A e^{i k t} + B e^{-i k t}$$

$$q - EC = A e^{i k t} + B e^{-i k t} \quad \text{--- } (q = q - EC)$$

$$q - EC = A (\cos kt + i \sin kt) + B (\cos kt - i \sin kt)$$

$$q - EC = (A + B) \cos kt + i(A - B) \sin kt$$

Let,

$$A + B = G$$

and

$$i(A - B) = H$$

putting in above eqn

$$q = EC + G \cos kt + H \sin kt$$

$$q = q_0 + G \cos kt + H \sin kt \quad \text{--- (3) --- } (q_0 = EC)$$

$$i = 0 - G k \sin kt + H k \cos kt$$

$$i = -G k \sin kt + H k \cos kt \quad \text{--- (4)}$$

To find the value of G and H put $q = 0$ and $t = 0$ in the eqn (3)

$$0 = q_0 + G + 0$$

$$G = -q_0$$

and to find the value G and H put $i = 0$ and $t = 0$ in eqn (4)



$$0 = 0 + HK$$

$$HK = 0$$

Where,

$$H = 0 \quad \text{and} \quad K \neq 0$$

$$q = -q_0 \quad \text{put in eqn (3) and (4)}$$

$$q = q_0 - q_0 \cos kt$$

$$q = q_0 (1 - \cos kt) \quad - (5)$$

$$i = q_0 k \sin kt \quad - (6)$$

Eqn (5) is eqn of simple harmonic motion. It gives that the charge depends upon the amplitude of q_0 and time required for the oscillation.

$$T = \frac{2\pi}{k}$$

$$T = 2\pi \sqrt{LC}$$

Equation (6) it is the current is depends upon the amplitude of the $q_0 k$ and time required for the oscillation is

$$\text{Time period}(t) = 2\pi \sqrt{LC}$$



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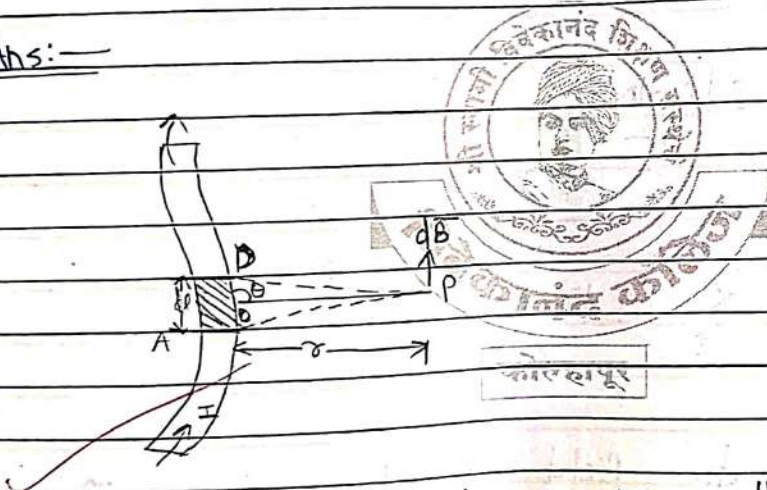
Subject: Physics

Test / Tutorial No. :

Div. : A

3]

→ Ans:—



The Biot-Savart law states that "The magnetic field dB deliling at the point 'P' due to current carrying eliment is depends upon,

- i) The current carring throught element 'I'
- ii) length of the small element 'dl'
- iii) Angle θ betⁿ the point 'P' and the middle point 'O' of the element.
- iv) It inversely proportional to the length squ^{re} betⁿ the point P and the element



$$dB \propto \frac{Idl \sin \theta}{r^2}$$

$$dB = k \frac{Idl \sin \theta}{r^2}$$

where,

k = is the proportionality constant
value of k is depends upon the medium where the condenser is placed.

for the Air or vacuum value of k is

$$k = \frac{\mu_0}{4\pi}$$

$$dB = \frac{\mu_0}{4\pi} \frac{Idl \sin \theta}{r^2}$$

Biot - Savarts law in vector form is

$$dB = \frac{\mu_0}{4\pi} \frac{Id\vec{l} \times \vec{r}}{r^3} \quad \text{--- (1)}$$

It is eqⁿ the magnetic field at P' due to small element, then the magnetic field at P' due to entire current carrying conductor is,
Integrate the above eqⁿ,

$$\int dB = \int \frac{\mu_0}{4\pi} \frac{Id\vec{l} \times \vec{r}}{r^3}$$

$$\therefore B = \frac{\mu_0}{4\pi} \int \frac{Id\vec{l} \times \vec{r}}{r^3}$$



Name: Amruta Dhanadi Thombare.

॥ ज्ञान, विज्ञान आणि सुसंस्कार यांसाठी शिक्षण प्रसार ॥

- शिक्षणमहर्षी डॉ. बापूजी साबुळे

Shri Swami Vivekanand Shikshan Sanstha Kolhapur's

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VIVEKANAND COLLEGE, KOLHAPUR (AUTONOMOUS)

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Suppliment No. :

Roll No. : 7209

Class : BSc fy

Signature
of
Supervisor

15/10

Subject: Electricity and Magnetism-I

Test / Tutorial No. :

Div. :

Q.1 select the correct alternatives.

1. The moving coil galvanometer is used for measurement of charge flows through the coil.

→ b) charge

2. The magnetic field at a point along the axis of an infinite long current carrying solenoid is Non

→ a) Non.

Q.II. Answer the following questions



1) What is the ballistic galvanometer? Explain the constants of B.G.

Ballistic galvanometer is also called as moving coil galvanometer (M.C.G.)

M.C.G. is used to measure the total charge flowing through
Principle: A rectangular coil suspended in a magnetic field experiences torque as current flows through it.

There are 4 constants of B.G.

1) Figure of Merit

2) Current sensitivity

3) Voltage sensitivity

4) Charge sensitivity.

a) Figure of Merit:- The current (I) required to produce deflection (θ) on a scale placed at 1m distance.

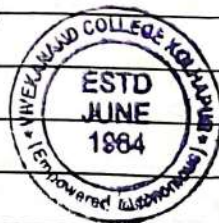
If current $1 \mu A$ is required to produce deflection θ mm on a scale placed at 1m distance from mirror of galvanometer is $k = \frac{\theta}{I_g}$. Its unit is mm/ μA .

b) Current sensitivity: The deflection (θ mm) produced by current ($1 \mu A$) on a scale placed at 1m distance from mirror of galvanometer. Its reciprocal of figure of merit $S = \frac{I_g}{\theta}$. Its unit is $\mu A/mm$.

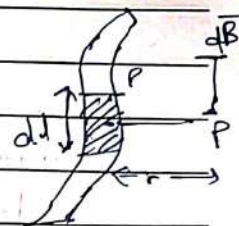
c) Voltage sensitivity: The deflection (θ mm) produced by potential difference of $1 \mu V$ on a scale placed at 1m distance from galvanometer.

$$\begin{aligned} \text{Voltage sensitivity} &= \frac{\theta}{V} = \frac{\theta}{I_g \cdot G} = \frac{\theta}{I_g} \cdot \frac{1}{G} = k \cdot \frac{1}{G} \\ &= \frac{k}{G} \end{aligned}$$

The unit is $mm/\mu V$



3) Explain the Biot-Savarts law.



Biot-Savarts law states that 'The magnetic field at point P is directly proportional to the

- The length of element dl
- The current flowing 'P' through it.
- The sine angle between the element of the line joining the centre of element to the point P is inversely proportional to square of distance of the line joining the centre of element O to P point

$$\therefore dB \propto Idl \sin \theta$$

$$\therefore dB = \frac{\mu_0}{4\pi} Idl \sin \theta \quad \text{where value of } \mu_0 \text{ depends upon the medium in which it is placed.}$$

for air or vacuum.

$$\mu_0 = \frac{4\pi}{10^7} \text{ Tm/A}$$

where μ_0 = permeability of free space

Q4

$$\therefore dB = \frac{\mu_0}{4\pi} I \frac{dl \sin \theta}{r^3} \quad \text{--- (1)}$$

& in vector form,

$$dB = \frac{\mu_0}{4\pi} I \frac{d\vec{l} \times \vec{r}}{r^3} \quad \text{--- (2)}$$



The given condition in vector form it is given by
fleming's right hand rule. The magnetic field $\vec{dB}$
is perpendicular to the direction of current $\vec{dl}$.

$\therefore$ Total magnetic field is given by

$$\oint \vec{dB} = \frac{\mu_0}{4\pi} \int \frac{I d\vec{l} \times \vec{r}}{r^3}$$



"Education for Knowledge, Science and Culture"

-Shikshanmaharshi Dr. Bapuji Salunkhe

Shri Swami Vivekanand Shikshan Sanstha's

Vivekanand College (Empowered Autonomous), Kolhapur.

Department of Physics

B.Sc.-I Internal Evaluation Examination, Mar-2024

Subject Name: Electricity and Magnetism – II

Day and Date: Thursday, 14-3-2024

Time: 10 AM

Marks (10)

Note:

1. All questions are compulsory
2. **Question 1** contains 2 questions 1 mark each
3. **Question 2** contains 2 questions 4 mark each
4. Answer the questions after carefully reading the text

Q. I. Select the correct alternatives

(02)

- 1) Del being a vector, its dot product with vector function gives
 - a) scalar function
 - b) vector function
 - c) zero
 - d) unity
- 2) The volume integral of the divergence of a vector function F over a closed volume V is always equal to the of F over the closed surface S enclosing that volume.
 - a) surface integral
 - b) volume integral
 - c) line integral
 - d) 1

Q. II. Answer the following questions (Any Two)

(08)

- 1) Explain Line, Surface and Volume Integral.
- 2) Give the statements of Stoke's theorem and Green's Symmetrical theorem.
- 3) Explain Divergence of Vector Field.



Shri Swami Vivekanand Shikshan Sanstha, Kolhapur's

Vivekanand College, Kolhapur

(Empowered Autonomous)

Department of Physics

B. Sc. / M.Sc. Part - I, Semester - II, PHYSICS Paper - II Section II

Title of the Paper: Electricity and Magnetism - II (Internal)

Name of Teacher: Dr. N. A. Narewadikar Examination

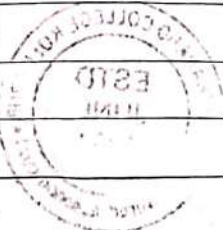
Attendance Sheet

Date: 14/03/2024

Sr. No.	Name of the Student	Seat No	Sign				
1)	Divya A. Fadase	7237	<u>Fadase</u>	10			
2)	Kajal B. Sankpal	7248	<u>Sankpal</u>	10			
3)	Dinesh D. Mane	7249	<u>Mane</u>	09			
4)	NITHAL R. SAYYAD	7212	<u>Sayyad</u>	10			
5)	Rushikesh S. Raut	7211	<u>Raut</u>	06			
6)	Vishal K. Gorade	7239	<u>Gorade</u>	09			
7)	Shreyas. S. Pawar	7261	<u>Pawar</u>	08			
8)	Bren. M. Agrawal	7201	<u>Ag</u>	08			
9)	Karan. A. Bhosale	7213	<u>Bhosale</u>	08			
10)	Sakshi B. Gaikwad	7238	<u>Gaikwad</u>	09			
11)	Shital S. Pokil	7245	<u>Pokil</u>	09			
12)	Sumita S. Bharenkar	7236	<u>Bharenkar</u>	08			
13)	Riya Pramod Patil	7220	<u>R.P.P.</u>	07			
14)	Pavimal. C. Kadam	7240	<u>PKadam</u>	10			
15)	Amruta. D. Thombare	7209	<u>Thombare</u>	05			
16)	Shreya. D. Athane	7250	<u>SDAthane</u>	06			
17)	Shreya P. Patil	7246	<u>Patil</u>	08			
18)	Sumit. J. Dhabale	7214	<u>SDhabale</u>	09			
19)	Prachi P. Mayekar	7233	<u>PM</u>	10			
20)	Krushna. B. Mane	7242	<u>BMane</u>	09			



21)	Siddhant S. Banduke	7226	Banduke	09			
22)	Sahil S. Tonare	7235	S. Tonare	07			
23)	Sheavari R. Pol	7247	Sheavari	10			
24)	Riya B. Khade	7232	Riya	09			
25)	Aspita B. Chougale	7228	Bhale	08			
26)	Prasad D. Khabale	7219	R. Khabale	05			
27)	Rupesh M. Nigade	7260	R. Nigade	05			
28)	Gourav G. Taple	7221	G. Taple	05			
29)	Pratik A. Havale	7215	P. Havale	05			
30)	Samiksha R. Bhajanaoale	7227	S. Bhajanaoale	05			
31)	Prathamesh G. Khopkar	7257	P. Khopkar	05			
32)	Suryakumar S. Mahla	7258	S. Mahla	05			
33)	Shirong B. Kamble	7241	S. Kamble	05			
34)	Sanchit L. Hange	7230	S. Hange	05			
35)	Pragwal K. Kamble	7253	P. Kamble	10			
36)	Ashant Kisan Patil	7234	P. Patil	10			
37)	Avadhut Shikaji Gutar	7208	A. Gutar				
38)	Kushikesh Vinayak Shinde	7262	K. Shinde				
39)							
40)							
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Roll No. : 7248

Class : B.Sc.I

Subject : Electricity & Magnetism - II

Test / Tutorial No. : Internal

Div. : A

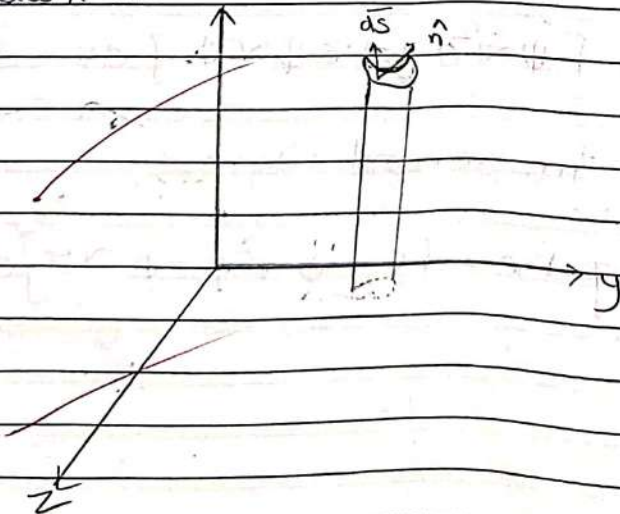
Q. I. 1) Scalar function.

2) c) Line integral.

2. a) Surface integral.

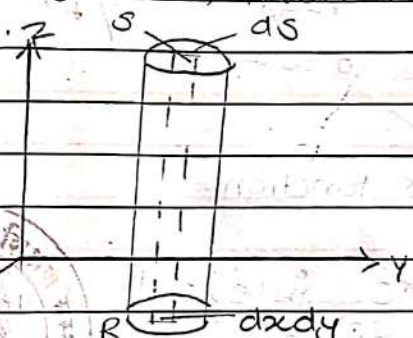
Q. II. 1) Surface Integral :-

Let S is a surface in vector space. there is small element are $d\vec{s} = \hat{n} ds$ where $\hat{n}$ is ^{unit} normal vector. Integral is drawn as the vector field.



2. Stoke's Theorem :-

If $\vec{F}$ be the vector function. It is uniform finite & continuously along with its derivative in any closed surface, then the line integral of volume V .



2. Green's Theorem :-

It is green's symmetrical theorem is a corollary of the Gauss divergence theorem. It is expressed in two different terms.

If ψ and ϕ is two scalar function of position with continuous within a certain region & bounded by a surface S bounding of the volume in the term

$$\oint_S \psi \frac{\partial \phi}{\partial n} dS = \iiint_V [\psi \nabla^2 \phi + \nabla \psi \cdot \nabla \phi] dV \quad \text{--- (1)}$$

Green's theorem in second term

$$\oint_S [\psi \frac{\partial \phi}{\partial n} - \phi \frac{\partial \psi}{\partial n}] dS = \iiint_V [\psi \nabla^2 \phi - \phi \nabla^2 \psi] dV \quad \text{--- (2)}$$

04



3. Divergence of vector field:-

The vector function (or field) is $\phi(x, y, z)$ is $\frac{\partial \phi}{\partial x} dx + \frac{\partial \phi}{\partial y} dy + \frac{\partial \phi}{\partial z} dz$ is called as vector

divergence of vector field. It is a dot product.

where $(\nabla \phi) = \nabla \phi$.

$$\nabla \phi = \hat{i} \frac{\partial \phi}{\partial x} + \hat{j} \frac{\partial \phi}{\partial y} + \hat{k} \frac{\partial \phi}{\partial z} \quad (\hat{i} dx + \hat{j} dy + \hat{k} dz).$$

$$\hat{i} \frac{\partial \phi}{\partial x} + \hat{j} \frac{\partial \phi}{\partial y} + \hat{k} \frac{\partial \phi}{\partial z}$$

$$\hat{i} dx + \hat{j} dy + \hat{k} dz$$

then for infinitesimal integral is called differential dx, dy, dz the total differential of ϕ is

$$\phi = \left(\hat{i} \frac{\partial \phi}{\partial x} + \hat{j} \frac{\partial \phi}{\partial y} + \hat{k} \frac{\partial \phi}{\partial z} \right) \quad (1)$$

we can write

$$d\phi = \left(\hat{i} \frac{\partial \phi}{\partial x} + \hat{j} \frac{\partial \phi}{\partial y} + \hat{k} \frac{\partial \phi}{\partial z} \right) (\hat{i} dx + \hat{j} dy + \hat{k} dz)$$

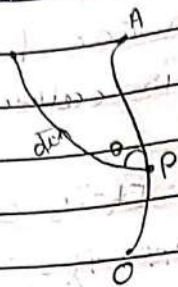
$$d\phi = (\nabla \phi) \cdot d\vec{r} \quad (2)$$

$$d\phi = \text{grad } \phi \cdot d\vec{r} \quad (3)$$

Divergence of vector $\nabla \phi$ in the vector quality.



• Line Integral :-



The curve OA is the point curve. Let a curve at a point P in the curve. Consider a small element displacement dl in the curve at P.

$$\vec{r} \cdot d\vec{l} = P \cdot dl \cos \theta$$

$$= r (\cos \theta) dl$$

= product of component of r along dl with magnitude of displacement of

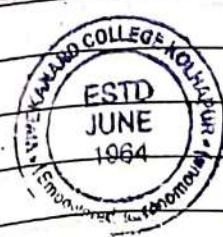
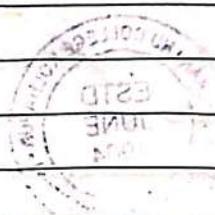
If $\vec{r}$ is the force $\int \vec{r} \cdot d\vec{l}$ = work done in displacement.

If vector $\vec{r}$ change from point to the point in the displacement from O to A is called as line integral of $\vec{r}$ along OA.

• Volume Integral :-

The volume integral of the divergence of vector function.

09



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Subject: Physics

Test/Tutorial No. : 10/10
Date: 14/12/24

Div.: A

Q.1. 1. a. Scalar Function

Q.2. 2. a. surface integral

Q.2. B. Divergence of Vector Field $[\nabla \cdot \vec{v}]$

When a vector quantity can be asined to every point in space, the space is called as vector Field.

eg. Electric Field, Magnetic Field.

The Flux of vector field Through an area element $d\vec{s}$ is the scalar product of area vector to given vector $\vec{v}$.

$$\text{Flux Through} = \phi = \oint \vec{v} \cdot d\vec{s}$$

$$= \oint \vec{v} \cdot \hat{n} \cdot d\vec{s}$$



where, $\hat{n}$ is the unit normal vector to the area element ds .

Definition:

If $\vec{v} = \hat{i}v_x + \hat{j}v_y + \hat{k}v_z$ is the continuously differentiable in the field, then the divergence of vector $\vec{v}$ is the scalar product of del operator with $\vec{v}$.

$$\therefore (\vec{\nabla} \cdot \vec{v}) = \left[\hat{i} \frac{\partial}{\partial x} + \hat{j} \frac{\partial}{\partial y} + \hat{k} \frac{\partial}{\partial z} \right] [\hat{i}v_x + \hat{j}v_y + \hat{k}v_z]$$

$$= \hat{i}\hat{i} \frac{\partial v_x}{\partial x} + \hat{i}\hat{j} \frac{\partial v_y}{\partial x} + \hat{i}\hat{k} \frac{\partial v_z}{\partial x}$$

$$+ \hat{j}\hat{i} \frac{\partial v_x}{\partial y} + \hat{j}\hat{j} \frac{\partial v_y}{\partial y} + \hat{j}\hat{k} \frac{\partial v_z}{\partial y}$$

$$+ \hat{k}\hat{i} \frac{\partial v_x}{\partial z} + \hat{k}\hat{j} \frac{\partial v_y}{\partial z} + \hat{k}\hat{k} \frac{\partial v_z}{\partial z}$$

It is clear that,

$$(\vec{\nabla} \cdot \vec{v}) = \frac{\partial v_x}{\partial x} + \frac{\partial v_y}{\partial y} + \frac{\partial v_z}{\partial z}$$

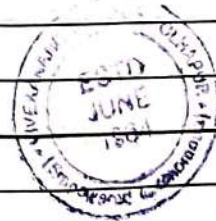
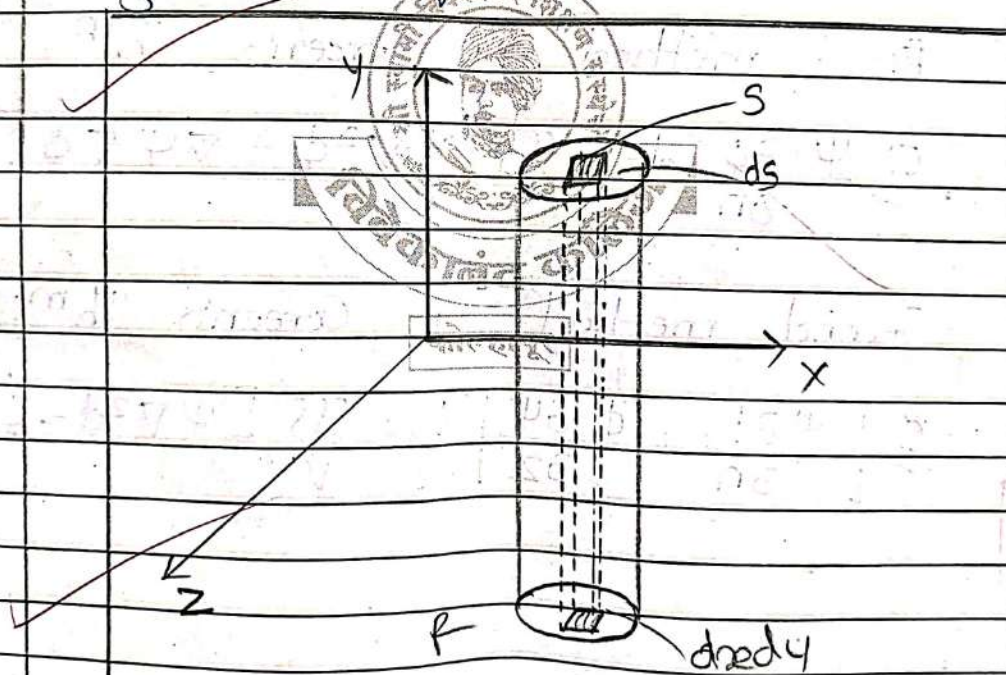
The Divergence of vector $(\vec{\nabla} \cdot \vec{v})$ is the scalar quantity.



2. i. Stoke's Theorem:

It states that, if $\vec{F}$ is vector function which is uniform, finite and continuous along with its derivative in any direction. Then the tangential line integral of $\vec{F}$ over any closed surface S bounded by a curve C is equal to the normal surface integral of the curl $\vec{F}$ over S .

$$\oint_S \vec{F} \cdot d\vec{l} = \iint_S [\nabla \times \vec{F}] \cdot d\vec{s}$$



ii. Green's Symmetrical Theorem

Green's Theorem is an important corollary of Gauss divergence theorem. It is commonly expressed by two different forms.

If ψ and ϕ be two scalar function in position with continuous derivative within a certain region bounded by a closed surface S bounding the volume V .

First method of Green's Th^m:

$$\oint_S \psi \frac{\partial \phi}{\partial n} ds = \iiint_V [\psi \nabla^2 \phi + \nabla \psi \cdot \nabla \phi] dv$$

Second method of Green's Th^m:

$$\oint_S \left[\psi \frac{\partial \phi}{\partial n} + \phi \frac{\partial \psi}{\partial n} \right] ds = \iiint_V [\psi \nabla^2 \phi - \phi \nabla^2 \psi] dv$$



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Subject : Physics

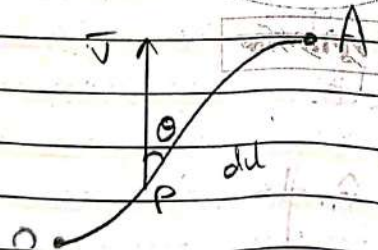
Test / Tutorial No.:

Date : 14-3-24

Div. : A

1. i) line Integral.

If Consider a curve OA in the vector field. Let $\vec{v}$ be the vector at point P on the curve consider a small ~~area~~ elementary displacement vector $d\vec{l}$ ~~along~~ along the curve at P.



$$\vec{v} \cdot d\vec{l} = P \cdot dl \cdot \cos \theta = (v \cos \theta) dl$$

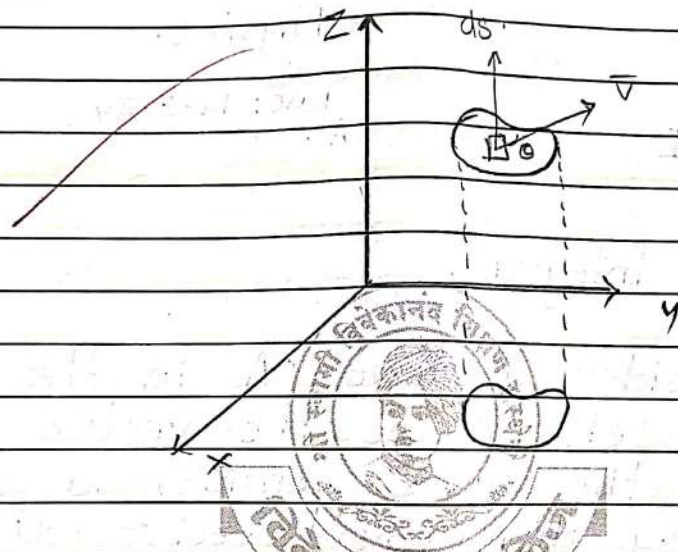
If $\vec{v}$ is the force = $\vec{v} \cdot d\vec{l}$.

The vector $\vec{v}$ changing from point to point then it's all total products are $\int_0^A \vec{v} \cdot d\vec{l}$ to displacement from 0 to A is ~~calculated~~ as line Integral.



Surface Integral

Let, S be the surface of in vector space consider a small area element $d\vec{s} = \hat{n} \cdot ds$ where, $\hat{n}$ is the unit normal vector drawn on area element ds .



Let, $\vec{V}$ be the vector then the surface integral over the $\vec{V}$ is

$$= \iint_V \vec{V} \cdot d\vec{s}$$

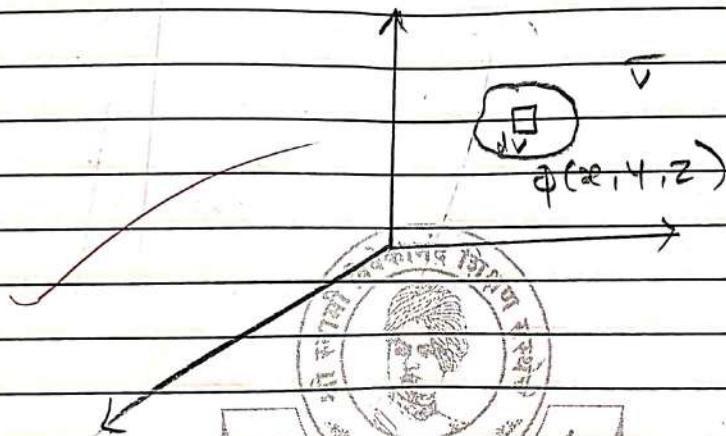
$$= \iint_V \vec{V} \cdot \hat{n} \cdot ds$$

$\therefore$ It is represents by a double integration



Volume Integral:

If $\phi(x, y, z)$ is a scalar point funⁿ a given point in the space consider an infinitesimally small volume element $dv = dx dy dz$ at this point as shown in fig.



The v. I over the volume V is defined as $\iiint_V \phi \cdot dv$ namely $\iiint_V \phi \cdot dv$.

In particular ϕ is expressed as divergence of vector funⁿ

i.e. $\phi = \nabla \cdot \vec{V}$

then volume integral over volume

$$V = \iiint_V \nabla \cdot \vec{V} \cdot dv$$

where

$$dv = dx dy dz$$



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Subject : Electricity & Magnetism - II

Test / Tutorial No. :

Div. :

Q. i) Del being a vector, its dot product with vector function gives scalar function.

ii) The volume integral of the divergence of a vector function F over a closed volume V is always equal to the surface integral of F over the closed surface S enclosing the volume.

3. II

3. Divergence of Vector Field $[\vec{\nabla} \cdot \vec{V}]$

When a vector quantity can be ascribed every point in space, the space is called as vector field.

eg. Electric field, Magnetic Through an areal element ds is the scalar product of areal of vector to given vector $\vec{V}$

Flux $\Phi_{mag} = \oint \vec{B} \cdot d\vec{s}$
 $= \oint \vec{B} \cdot \hat{n} \cdot ds$



where $\hat{n}$ is the unit normal vector to the area element ds .

Definition:

If $\vec{v} = \hat{i}v_x + \hat{j}v_y + \hat{k}v_z$ is continuously differentiable in the field, then the divergence of vector $\vec{v}$ is the scalar product of del operator with $\vec{v}$.

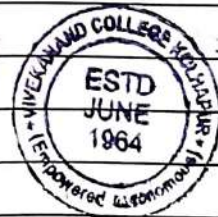
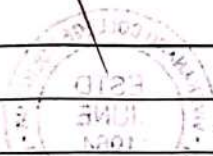
$$\begin{aligned} \therefore (\vec{\nabla} \cdot \vec{v}) &= \left[\hat{i} \frac{\partial}{\partial x} + \hat{j} \frac{\partial}{\partial y} + \hat{k} \frac{\partial}{\partial z} \right] [\hat{i}v_x + \hat{j}v_y + \hat{k}v_z] \\ &= \hat{i} \frac{\partial v_x}{\partial x} + \hat{j} \frac{\partial v_y}{\partial x} + \hat{k} \frac{\partial v_z}{\partial x} \\ &\quad + \hat{j} \frac{\partial v_x}{\partial y} + \hat{i} \frac{\partial v_y}{\partial y} + \hat{k} \frac{\partial v_z}{\partial y} \\ &\quad + \hat{k} \frac{\partial v_x}{\partial z} + \hat{j} \frac{\partial v_y}{\partial z} + \hat{i} \frac{\partial v_z}{\partial z} \end{aligned}$$

$\therefore$ It is clear that

$$(\vec{\nabla} \cdot \vec{v}) = \frac{\partial v_x}{\partial x} + \frac{\partial v_y}{\partial y} + \frac{\partial v_z}{\partial z}$$

$\therefore$ The Divergence of vector $(\vec{\nabla} \cdot \vec{v})$ is the scalar quantity.

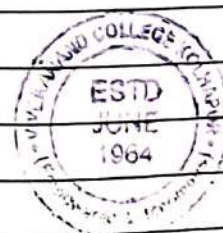
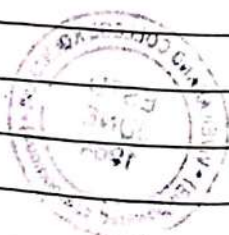
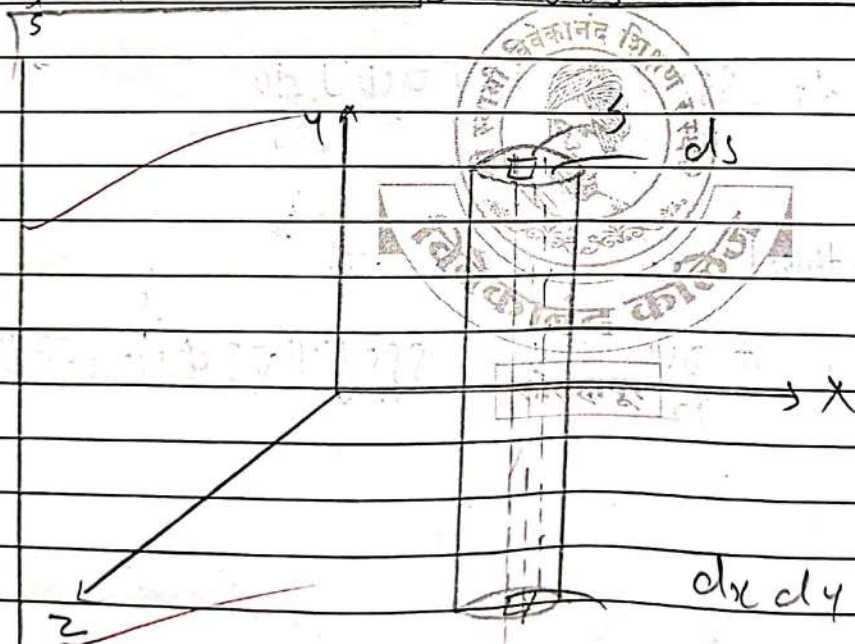
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Q. Stok's Theorem:

It states that if $\vec{F}$ is vector function which is uniform, finite & continuous along with its derivative in any direction. Then the tangential line integral of $\vec{F}$ over any close surface S bounded by a curve is equal to the normal surface integral of the curl $\vec{F}$ over S .

$$\oint_S \vec{F} \cdot d\vec{L} = \iint_S [\vec{\nabla} \times \vec{F}] \cdot d\vec{s}$$



ii. Green's Symmetrical theorem

Green's theorem is an important Corollary. Gauss divergence theorem is commonly expressed by two different forms.

If ψ and ϕ be two scalar function in position with continuous derivatives within a certain region bounded the a closed surface S bounding the volume V .

First method of Green's Th^m.

$$\oint_S \psi \frac{\partial \phi}{\partial n} ds = \iiint_V [\psi \nabla^2 \phi + \nabla \psi \cdot \nabla \phi] dv$$

Second method of Green's th^m

$$\oint_S \left[\psi \frac{\partial \phi}{\partial n} + \phi \frac{\partial \psi}{\partial n} \right] ds = \iiint_V [\psi \nabla^2 \phi + \phi \nabla^2 \psi] dv$$

