Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Ms. A. D. Patil

Programme: M. Sc. I

Subject: Mathematics

Semester: I

Course Title: Modern Algebra

| Month: July | | | Module/Unit: | Sub-units planned |
|----------------|--------------|-------------|------------------------|--|
| Lectures 15 | Practical 00 | Total 15 | Simple Groups | 1)Permutation group, Group of symmetry, Dihedral group, Commutator subgroups Simple groups, simplicity of An, 2) Normal and subnormal series, Jordan-Holder theorem 3) Solvable groups, Nilpotent group, isomorphism theorems (Statement only) 4) Zassenhaus Lemma, Schreier refinement theorem. |
| Month: Augus | st | | Module/Unit: | Sub-units planned |
| Lectures 15 | Practical 00 | Total 15 | Group Action | Group action on a set, isometry subgroups, Burnside theorem Direct product and semidirect product of groups, Sylow theorems, psubgroups, Group of order and pq, Class equation and applications |
| Month: Septe | mber | | Module/Unit: | Sub-units planned |
| Lectures 15 | Practical 00 | Total 15 | Rings of Polynomial | Ring of Polynomials, Factorization of polynomials over fields, Irreducible polynomials, Eisenstein criterion, ideals in F[x] Unique Factorization domain, principal ideal domain Gauss lemma, Euclidean Domain |
| Month: October | | | Module/Unit: | Sub-units planned |
| Lectures 15 | Practical 00 | Total 15 | Module | Modules, sub-modules, quotient modules, homomorphism and isomorphism theorems, fundamental theorem for modules completely reducible modules, free modules. |

(Ms. A. D. Patil)



(Dr. S. P. Thorat)
HEAD
DEPARTMENT OF MATHEMATICS
VIVEKANAND COLLEGE, KOLHAPUR
(EMPOWERED AUTONOMOUS)

Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Ms. S. J. Koshti

Programme: M.Sc. I Semester: I

Subject: Mathematics Course Title: Ordinary Differential Equations

| Month: Ju | ıly | | Module/Unit: | Sub-units planned |
|-----------|------------------|-------|-----------------|--|
| Lectures | Practical | Total | 1. Second order | 1. Second order homogeneous |
| 17 | 00 | 17 | homogeneous | Equations |
| 17 | 00 | 17 | Equations | 2. Linear dependence & amp; |
| | | | | dependence |
| | | | | 3. Non-homogeneous equations of |
| | | | | order two |
| | | | | 4. Homogeneous equations of order n |
| Month: A | ugust | T | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 2. The non- | 1. The non-homogeneous equation |
| 15 | 00 | 15 | homogeneous | of n th order |
| | | | equation | 2. Linear Equations with variable |
| | | | of n th order | Coefficients |
| | | | | 3. Wronskian and linear dependence |
| | | | | 4. Reduction of order of |
| | | | | homogeneous equation |
| Month: Se | Month: September | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 3. The legendre | 1. Sturm Liouville theory |
| 17 | 00 | 17 | equations | 2. Homogeneous equations with |
| | | | | analytic coefficients |
| | | | | 3. The legendre equations |
| | | | | 4. Linear Equations with regular |
| | | | | singular points |
| | | | | 5. The Euler equations |
| | Month: October | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 4. The Bessel | 1. The Bessel equation |
| 16 | 00 | 16 | equation | 2. Regular singular points at infinity |
| | | | | 3. Existence and uniqueness of |
| | | | | solutions: The method of |
| | | | | successive approximations |
| | | | | 4. The Lipschitz condition |

(Ms. S. J. Koshti)

ESTD JUNE 1964

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VIVEKANAND COLLEGE, KOLHAPUR
(EMPOWERED AUTONOMOUS)

Vivekanand College, Kolhapur (An Empowered Autonomous Institute)

Department of Mathematics Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Mr. A. A. Patil

Programme: M.Sc. I Subject: Mathematics Semester: I

Course Title: Measure and Integration

| Month: | Iulv | | Module/Unit: | Sub-units planned |
|----------|-----------|-------|-------------------|--|
| Lecture | | Total | 1. Lebesgue Outer | 1) Open Sets, Closed Sets and Borel Sets |
| 18 | 00 | 18 | Measure | 2) Lebesgue Outer Measure, The sigma |
| | | | | algebra of Lebesgue Measurable Sets, |
| | | | | Countable Additivity |
| | | | | 3) Continuity and Borel-Cantelli Lemma |
| | | | | 4) non-measurable set. |
| Month: | August | | Module/Unit: | Sub-units planned |
| Lectures | | Total | 2. Measurable | 1) Sums, Product and Composition of |
| 15 | 00 | 15 | Functions | Measurable Functions, |
| | | | | 2) Sequential Pointwise limits and |
| | | | | Simple |
| | | | | Approximation. Littlewood's Three |
| | | | | Principles |
| | | | | 3) Egoroff's Theorem and Lusin's |
| | | | | Theorem,Lebesgue |
| | | | | 4) Integration of a Bounded Measurable |
| | | | | Function, Lebesgue Integration of a |
| | | | | Non-negative Measurable Function. |
| Month: S | eptember | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 3. Lebesgue | 1) The General Lebesgue Integral, |
| 17 | 00 | 17 | Integral, | 2) Characterization of Riemann and |
| | | | | Lebesgue Integrability, |
| | | | | 3) Differentiability of Monotone |
| | | | | Functions, |
| | | | | Lebesgue's Theorem, |
| | | | | 4) Functions of Bounded Variations: |
| | | | | Jordan's Theorem |
| Month: 0 | | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | | 1) Absolutely Continuous Functions, |
| 15 | 00 | 15 | | 2)Integrating Derivatives: |
| | | | | Differentiating |
| | | | | Indefinite Integrals, |
| | | | | 3) Normed Linear Spaces, Inequalities |
| | | | | of Young, Holder and Minkowski, |
| | | | | 4)The Riesz-Fischer Theorem. |

(Mr. A. A. Patil)



(Dr. S. P. Thorat)

Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Ms. A. D. Patil

Programme: M.Sc. I

Semester: I **Subject: Mathematics**

Course Title: Numerical Analysis-I

| Month: Aug | ust | | Module/Unit: | Sub-units planned |
|-------------|-----------|-------|---|---|
| Lectures | Practical | Total | 1. Iterative | 1.Iterative solutions of |
| 15 | 00 | 15 | solutions | Transcendental & polynomial equations: Bisection method, 2. Iteration methods based on First degree equation 3.Secant method, Regula Falsi method Newton Raphson |
| Month: Sept | tember | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 2. linear System | 1.Linear System of algebraic |
| 18 | 00 | 18 | of algebraic equations and Eigenvalue problems | equations and Eigenvalue problems: Iteration methods (Jacobi iteration method, Gauss seidel iteration method) 2.Convergence analysis, Matrix factorization methods (Doo little reduction, Crout reduction), 3.Eigen values and eigenvectors, Gerschgorin theorem, Brauer theorem, Jacobi method for symmetric matrices 4. Power method. |



Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Dr. S. M. Bargir

Programme: M. Sc. I Subject: Mathematics Semester: I

Course Title: Operational Research

| Month: July | Month: July | | | Sub-units planned |
|---------------------------|-----------------|-------------|-------------------------------|--|
| Lectures 15 | Practical 00 | Total 15 | Convex Set and LPP: | 1)Convex set and their properties. 2)Lines, hyperplanes and polyhedral convex set and its theorems. 3)Convex combination of vectors, convex hull. Simplex and convex function. 2) General form of linear programming and Matrix form of linear programming. 3)Definition of standard LPP and theorems of it. |
| Month: Augu | st . | | Module/Unit: | Sub-units planned |
| Lectures 17 Month: Septe | Practical 00 | Total 17 | Simplex Method: Module/Unit: | 1) Computational procedure of simplex method. Problem of degeneracy, revised simplex method in standard form- I 2) Duality in linear programming and duality theorems. 3) Integer linear programming: Gomory's cutting plane method, Branch and Bound method. Sub-units planned |
| Lectures | Practical | Total | Dynamic | 1) Bellman's Principle of Optimality |
| 15 | 00 | 15 | Programming: | 2) Application of Dynamic Programming in production 3) Inventory control and linear programming. |
| Month: Octo | | | Module/Unit: | Sub-units planned |
| Lectures 16 | Practical 00 | Total 16 | Non linear Programming: | Unconstrained problems of maximum and minimum Lagrangian method Kuhn Tucker necessary and sufficient conditions Wolfe's method and Beale's method |

(Dr. S. M. Bargir)



(Dr. S. P. Thorat) HEAD

Vivekanand College, Kolhapur (An Empowered Autonomous Institute) Department of Mathematics Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Dr. S. P. Thorat

Programme - M.Sc.-I

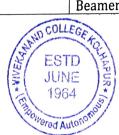
Semester-I

Subject: Mathematics

Course Title: Research Methodology

| Month: Ju | Month: July | | Module/Unit: I | Sub-units planned |
|------------------|-------------|------------------|---|---|
| Lectures | Practicals | Total | Mathematical Writing | 1. What is a theorem?, Proofs. The role of examples Words versus symbols. |
| 16 | 00 | 16 | | 2. Displaying Equations, Parallelism, Dos and Don'ts of Mathematical writing.3. Writing a paper: Audience, Organization and structure, Author list, Abstract, Key words. |
| Month: Au | ıgust | | Module/Unit: II | Sub-units planned |
| Lectures | Practicals | Total | Writing a Paper | 1. The introduction, Review of Literature, Computational experiments, Citations, |
| 17 | 00 | 17 | | Conclusions 2. Acknowledgements, Appendix, Reference list, specific and deprecated 3. Revising Draft: How to revise, examples of prose, examples involving equations. 4. a revised proof, A draft Article for improvement |
| Month: September | | Module/Unit: III | Sub-units planned | |
| Lectures | Practicals | Total | Publishing a Paper | 1. Choosing a Journal, Submitting a manuscript, The refereeing process, How |
| 18 | 00 | 18 | | to referee, 2. The Role of copy Editor, Checking the proofs Copyright issues 3. SIAM Journal Article: A case study 4. Writing and Defending a thesis: The purpose of a thesis, content, presentation, the thesis defence. |
| Month: October | | Module/Unit: IV | Sub-units planned | |
| Lectures | Practicals | Total | Quality indices of research publication | 1. Impact factor, H-index, science citation index. |
| 16 | 00 | 16 | | 2. Using web for literature review: Google scholar, Scopus, MathSciNet 3. Latex and Beaner for paper typing and presentations: Latex-typesetting, mathematics, typesetting theorems. Making presentations with LATEX-Beamer |

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DEPARTMENT OF MATHEMATICS
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(EMPOWERED AUTONOMOUS)

Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Dr. S. M. Bargir

Programme: M. Sc. II Subject: Mathematics

Semester: III

Course Title: Functional Analysis

| Month: July | | Module/Unit: I | Sub-units planned | |
|-------------|-----------|----------------|-------------------------|---|
| Lectures | Practical | Total | Normed Linear Spaces | 1.1 Normed linear spaces, Banach spaces, Quotient spaces, Continuous linear |
| 16 | 00 | 16 | Spaces | transformations, Equivalent norms. |
| | | | | 1.2 Finite dimensional normed spaces and |
| | | | | properties, Conjugate space and |
| | | | | separability. |
| | | | | 1.3 The Hahn-Banach theorem and its |
| | | | | Consequences. |
| Month: Au | gust | -1 | Module/Unit: II | Sub-units planned |
| Lectures | Practical | Total | Second conjugate | 2.1 Second conjugate space, the natural |
| | | | space | embedding of the normed linear space in |
| 15 | 00 | 15 | | its second conjugate space. |
| | | | | 2.2 Reflexivity of normed spaces, Weak * |
| | | | | topology on the conjugate space. |
| | | | | 2.3 The open mapping theorem, Projection |
| | | | | on Banach space, the closed graph |
| | | | | theorem. |
| | | | | 2.4 The conjugate of an operator, the |
| | | | | uniform boundedness principle. |
| Month: Sep | otember | | Module/Unit: III | Sub-units planned |
| Lectures | Practical | Total | Hilbert spaces | 3.1 Hilbert spaces: examples and elementary |
| 16 | 00 | 16 | | properties, Orthogonal complements. |
| | | | | 3.2 The projection theorem, Orthogonal sets. |
| | | | | 3.3 The Bessel's inequality, Fourier |
| | | | | expansion and Parseval's equation, |
| | | | | separable Hilbert spaces. |
| | | | | 3.4 The conjugate of Hilbert space, Riesz's |
| | | | | theorem. |
| | | | | 3.5 The adjoint of an operator. |
| Month: Oct | tober | • | Module/Unit: IV | Sub-units planned |
| Lectures | Practical | Total | Self adjoint | 4.1 Self adjoint operators, Normal and |
| 16 | 00 | 16 | operators | Unitary operators, Projections. |
| | | | | 4.2 Eigen values and eigenvectors of an |
| | | | | operator on a Hilbert space |
| | | | | 4.3 The determinants and spectrum of an |
| | | | | operator |
| | | | | 4.4 The spectral theorem on a finite |
| | | | -011 | dimensional Hilbert space. |

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(Dr. S. M. Bargir)

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Vivekanand College, Kolhapur (An Empowered Autonomous Institute)

Department of Mathematics Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Mr. G. B. Kolhe

Programme: M. Sc. II

Semester: III

Course Title: Classical Mechanics

| Subject: Mathematics | | | | Course Title: Classical Mechanics |
|----------------------|--------------------------|----------|---------------------------|---|
| Month: Jul | Month: July Module/Unit: | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 1 Mechanics of a | 1.Mechanics of a particle, Mechanics of a system of particles |
| | | | particle, | conservation theorems. |
| 18 | 00 | 18 | | 2.Generalised coordinates, D' Alembert's Principle, |
| | | | | Lagrange's equations of motion, sin applications of |
| | | | | Lagrangian formulation |
| | | | | 3. Kinetic energy as a homogeneous function generalised |
| | | | | velocities, Non-conservation of total energy due to the |
| | | | | existence of non-conservative forces. |
| | | | | 4.Cyclic co-ordinates and generalised momentum, |
| 26 12 4 | | | N/ 1 1 /77 1 | conservation theorems |
| Month: Au | gust | | Module/Unit: | Sub-units planned 1.Functionals, basic lemma in calculus of variations, Euler- |
| Lectures | Practical | Total | 2. Euler- | Lagrange's equations, first integral Euler- Lagrange's |
| 15 | 00 | 15 | - Lagrange's equations | equations, the case of several dependent variables |
| | | | cquations | 2.Undetermined conditions, Geodesics in a plane and space, |
| | | | | the minimum surface of revolution, the problem |
| | | | | Brachistochrone |
| | | | | 3. Isoperimetric problems, problem of maximum enclosed |
| | | | | area. Hamilton's Principle, Derivation of Hamilton's principle |
| | | | | from D'Alembert's principle, Lagrange's equation of motion |
| | | | | from Hamilton's principle. |
| | | | | 4.Lagrange's equations of motion for non-conservative |
| | | | | systems (Method of Lagrange's undetermined multipliers) |
| Month: Sep | tombor | | Module/Unit: | Sub-units planned |
| Lectures | Practical | Total | 3. Hamiltonian | 1. Hamiltonian function, Hamilton's canonical equations of |
| 17 | 00 | 17 | function | motion, Derivation of Hamilt equations from variational |
| 1' | | | | principle |
| | | | | 2. Physical significance of Hamiltonian, the principle of 1 |
| | | | , | action |
| | | | | 3. cyclic co-ordinates and Routh's procedure. Orthogonal |
| | | | | transformations |
| | | | | 4. Properties transformation matrix, infinitesimal rotations |
| Month: Oct | | | Module/Unit: | Sub-units planned |
| | Practical | Total | 4. The | 1. The Kinematics of rigid body motion: The independent co- |
| 16 | 00 | 16 | Kinematics of | ordinates of a rigid body, the Eule angles |
| | | | rigid body | 2. Euler's theorem on motion of rigid body, Angular momentum and kinetic energy rigid body with one point |
| | | | motion | fixed |
| | | | | 3. the inertia tensor and moment of inertia, Euler's equations |
| | | | | motion, Cayley- Klein parameters |
| | | | 1 | 4. Matrix of transformation in Cayley- Klein parametric |
| | | | NAMO COLLEGE TO | Relations between Eulerian angles and Cayley- Klein |
| 1 | | <i>-</i> | JAN 10. | parameters |

(Mr. G. B. Kolhe)

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DEPARTMENT PPTHOHEUJATICS
VIVEKANAND COLLEGE, KOLHAD
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Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Mr. A. A. Patil

Programme: M. Sc. II Subject: Mathematics Semester: III

Course Title: Complex Analysis

| Month: Iul | V | | Module/Unit: | Sub-units planned |
|---|-------------------------------|--------------|---|--|
| Month: Jul Lectures 18 Month: A Lectures | Practical 00 ugust Practical | Total Total | Module/Unit: Module/Unit: Cauchy Integral | Power series, radius of convergence, Analytic functions, zeros of an analytic function, Cauchy-Riemann equations, Harmonic functions, Mobius transformations Sub-units planned Power series representation of analytical function. |
| 15 | 00 | 15 | | Liouville's theorem, Fundamental theorem of algebra, Maximum modulus theorem, the index of closed curve, Cauchy's theorem and integral formula, Morera's theorem. |
| Month: S | eptember | | Module/Unit: | Sub-units planned |
| Lectures | | Total | 3. Singularities | 1. Counting zero's, The open mapping |
| 17 | 00 | 17 | | theorem, Goursat's Theorem. 2. Classification of singularities, Laurent series development. 3.Casorati- weierstrass theorem. |
| Month: (| October | | Module/Unit: | Sub-units planned |
| Lectures | | Total | 4. Residues | 1. The argument principle, Rouche's |
| 16 | 00 | 16 | | theorem the maximum principle. Schwar's lemma 2. Residues, residues and its applications to characterize conformal maps. |



(Dr. S. P. Thorat) DEPARTMENT OF MATHEMATICS

VIVEKAMAND COLLEGE, KOLHAPUR EMPOWERED AUTONOMOUS)

Vivekanand College, Kolhapur (An Empowered Autonomous Institute)

Department of Mathematics Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Ms. A. D. Patil

Programme: M. Sc. II Semester: III

Subject: Mathematics Course Title: Advanced Discrete Mathematics

| Month: Au | ıgust | | Module/Unit: I | Sub-units planned |
|-----------|--------------|-------|---------------------|--|
| Lectures | Practical | Total | Graph Theory | 1.1 Graph Theory: Definition, examples and |
| 18 | 00 | 18 | | properties, Simple graph 1.2 Graph isomorphism, Bipartite graphs, Complete Bipartite graph, regular graph, sub-graphs spanning sub-graph, Edge deleted sub-graph, Vertex deleted sub- graph 1.3 Union and intersection of two graphs, complements of a graph, self complementary graph 1.4 paths and cycles in a graph, Eccentricity, radius and diameter of a connected graph 1.5 Peterson graph, Wheel graph. Isomorphism of Graphs. First theorem of graph theory |
| Month: Se | eptember | | Module/Unit: II | Sub-units planned |
| Lectures | Practical 00 | Total | Adjacency matrix | 2.1 The Matrix representation of a graph, Adjacency matrix and Incidence matrix of a Graph |
| | | | | 2.2 Definition and simple properties of a tree, bridges, spanning trees 2.3 Inclusion exclusion principle. 2.4 Simple examples on Inclusion exclusion principle Pigeonhole principle 2.5 Examples on Pigeonhole principle |

(Ms. A. D. Patil)

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(Dr. S. P. Thorat)

Academic Year: 2025-26

ANNUAL TEACHING PLAN

Name of the teacher: Ms. A. D. Patil

Semester: III Programme: M. Sc. II

Course Title: Lattice Theory Subject: Mathematics

| • | | | | a l 'ta plannod |
|-------------|--------------|-------------|------------------------------|---|
| Month: Jul | V | | Module/Unit: I | Sub-units planned 1.1 Posets, Definition and examples of posets. |
| Lectures | Practical | Total | Basic concepts | 1.1 Posets, Definition and champed 1.2 Two definitions of lattices and their |
| 18 | 00 | 18 | | equivalence, examples of lattices. 1.3 Description of Lattices, some algebraic concepts. 1.4 Duality principle, Specialelements. 1.5 Homomorphism, Isomorphism and isotone maps. Sub-units planned |
| Month: Au | igust | | Module/Unit: II | 2.1 Distributive lattices – Properties and |
| Lectures | Practical | Total | Special types of Lattices | characterizations. |
| 15 | 00 | 15 | | 2.2 Modular lattices – Properties and characterizations. 2.3 Congruence relations. 2.4 Boolean algebras – Properties and characterizations. |
| Month: Se | ntember | | Module/Unit: III | Sub-units planned |
| Lectures 17 | Practical 00 | Total 17 | Ideal theory | 3.1 Ideals and filters in lattices. 3.2 Lattice of all ideals I(L). 3.3 Properties and characterizations of I(L). 3.4 Stone's theorem and its consequences. |
| 76 11 0 | -t-hom | | Module/Unit: IV | Sub-units planned |
| Month: 0 | | Total | Stone algebra | 4.1 Proudo complemented lattices. |
| Lectures 16 | Practical 00 | 16 | | 4.1 Fseudo complemented aubsets of pseudo 4.2 S(L) and D(L) – special subsets of pseudo complemented lattices. 4.3 Distributive pseudo complemented lattice. 4.4 Stone lattices – properties and characterizations |

(Ms. A. D. Patil)



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